

Searches for vector-like quarks with the ATLAS detector

Joe Haley
Oklahoma State University

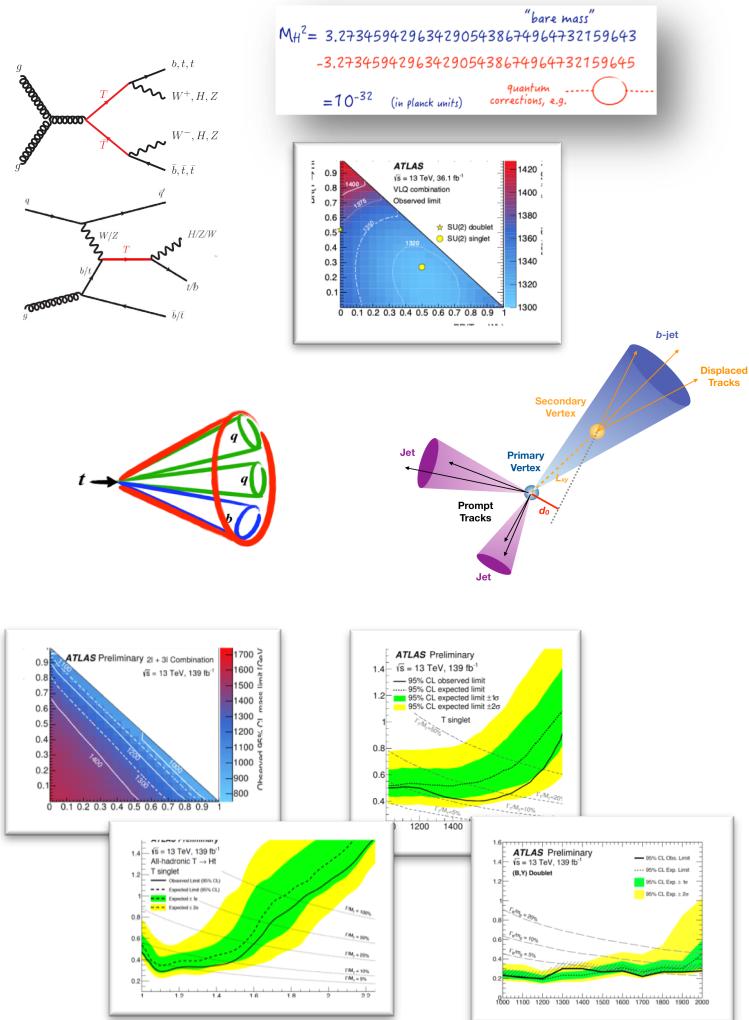
BEACH 2022



XIV INTERNATIONAL CONFERENCE
ON BEAUTY, CHARM AND
HYPERON HADRONS

5-11 June 2022 AGH-UST Kraków, Poland

Overview



Vector-like quarks

- What are they?
- Why should you care?
- What do they look like?
- Previous Results (36.1 fb^{-1})

Improved techniques

- Top-Tagging
- b-Tagging

Results using Full Run 2 Dataset (139 fb^{-1})

- $T\bar{T} \rightarrow Zt + X$, with $Z \rightarrow ll$
- $T \rightarrow Ht/Zt$, with $t \rightarrow l\nu b$
- $T \rightarrow Ht$ with hadronic final state
- $B \rightarrow Hb$, with $H \rightarrow bb$

Conclusion

Vector-like Quarks

“Quarks”: Color-triplet, spin-½ particles

“Vector-like”: Left and right chiralities have the same weak isospin

- Weak current is vector-like:

$$\text{VLQs: } (\bar{Q}\gamma^\mu Q')$$

$$\text{SM quarks: } (\bar{q}\gamma^\mu(1 - \gamma^5)q')$$

- Can have bare VLQ mass term
 \Rightarrow Avoids constraints from Higgs measurements

Couple to SM through mixing with SM quarks

Naturalness + FCNC constraints \Rightarrow mixing mostly with 3rd generation

	$Q[e]$	singlets	VLQs doublets	triplets
Top-partner $T \rightarrow$	$\frac{5}{3}$	(T)	$\begin{pmatrix} X \\ T \end{pmatrix}$	$\begin{pmatrix} X \\ T \end{pmatrix}$
	$\frac{2}{3}$		$\begin{pmatrix} T \\ B \end{pmatrix}$	$\begin{pmatrix} T \\ B \end{pmatrix}$
Bottom-partner $B \rightarrow$	$-\frac{1}{3}$	(B)	$\begin{pmatrix} B \\ Y \end{pmatrix}$	$\begin{pmatrix} B \\ Y \end{pmatrix}$
	$-\frac{4}{3}$			

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Naturalness

What is naturalness?

If X is an observable that depends on n independent inputs, a_i :

$$X = a_1 + a_2 + \dots + a_n$$

It would be unnatural to have some $|a_i| \gg |X|$

Natural:

$$a_1 = 4$$

$$a_2 = 2,098,572,309,800$$

$$a_3 = -1,099,785$$

$$\Rightarrow X = 2,098,571,210,019$$

Unnatural:

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$$\Rightarrow X = -81$$



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The “Hierarchy Problem”

The mass (squared) of the Higgs gets quantum corrections from interacting with other particles: $M_H^2 = 2\mu^2 + (\delta m_1)^2 + (\delta m_2)^2 + \dots$

The most significant correction comes from top quarks, which causes a quadratic divergence!

- If the SM is correct up to the Planck scale

$$M_H^2 = 3.2734594296342905438674964732159643$$

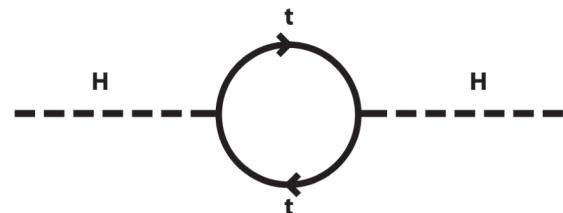
$$-3.2734594296342905438674964732159645$$

$$= 10^{-32} \quad (\text{in planck units})$$

“bare mass”

quantum corrections, e.g.



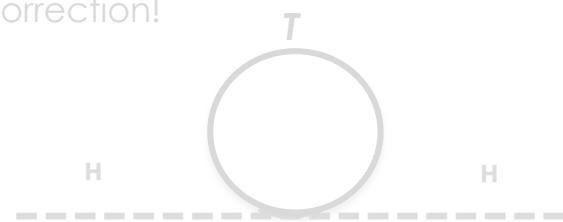


from
Roni Harnik

Having vector-like quarks could naturally cancel the divergent top correction!

- Adding a ~ 400 GeV vector-like top (T):

$$M_H^2 \sim 10 - 9 = 1 \quad (\text{in units of } \sim 100 \text{ GeV squared})$$



- Thus, VLQs show up in many BSM scenarios
 - Little/Composite Higgs, Topcolor, GUTs, ...
- And naturalness requires mass ~ 1 TeV \Rightarrow Accessible at the LHC!

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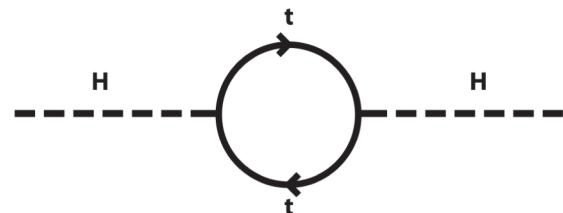
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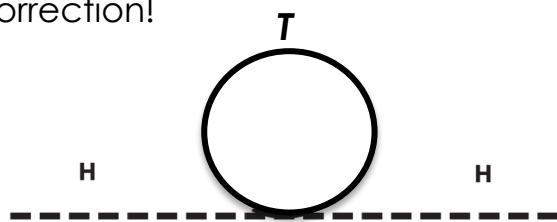


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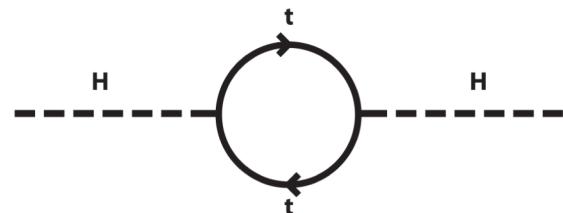
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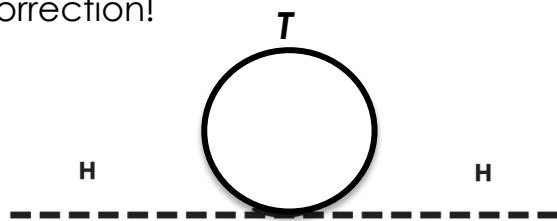


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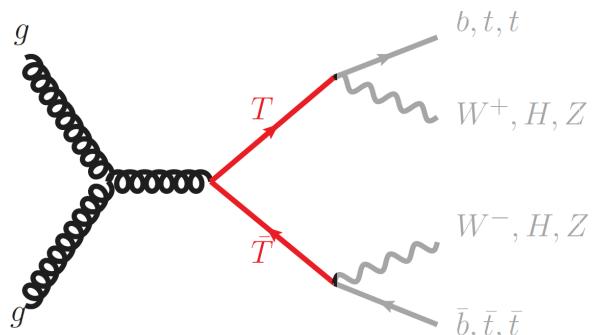
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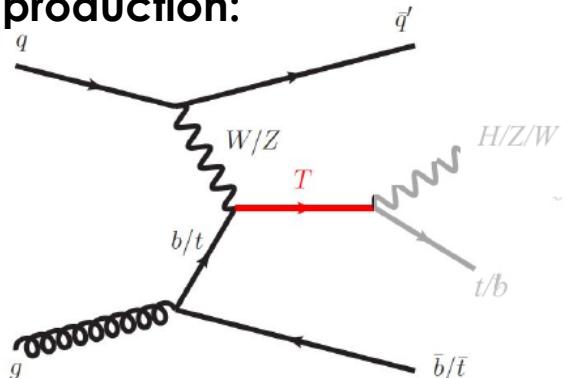
What do we look for?

Pair Production:

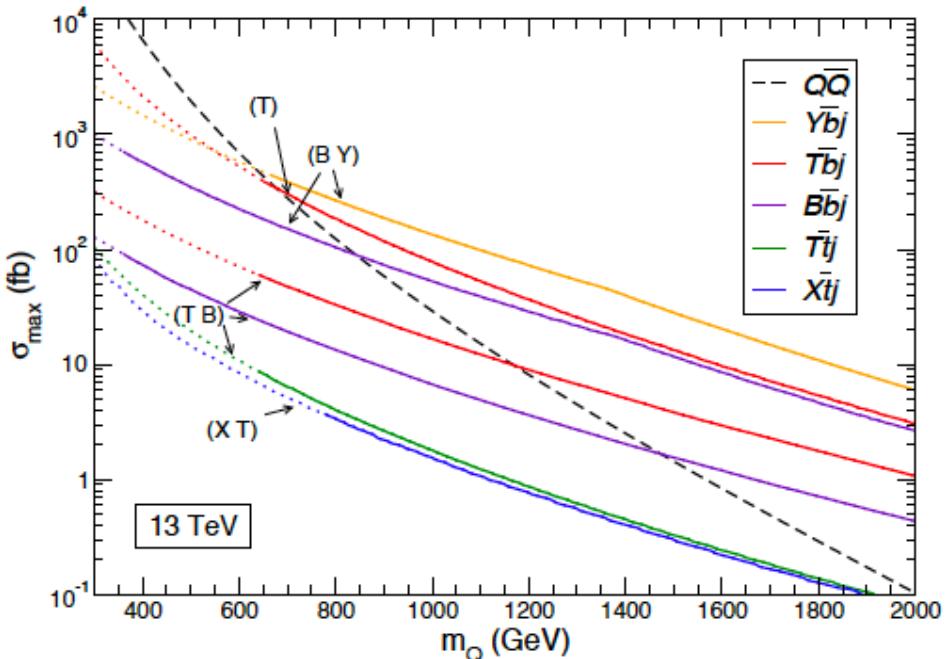


- Via QCD \Rightarrow Depends only on VLQ mass
(Model-independent)

Single production:



- Via mixing with SM quarks \Rightarrow Depends on mass and coupling (κ)
- **Could dominate** for large VLQ masses



Decays:

- Dictated by quantum numbers

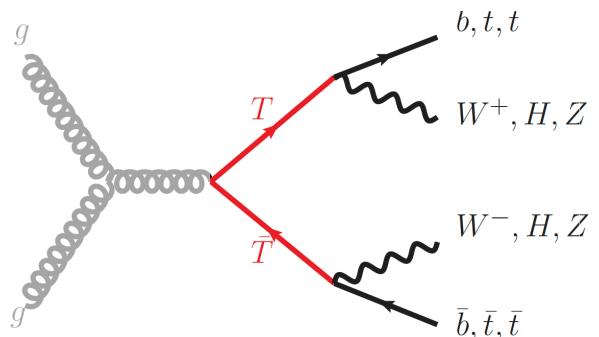
$$T \rightarrow Wb, Zt, Ht$$

$$B \rightarrow Wt, Zb, Hb$$
- Branching ratios depend on model/representation

$$(T), (T,B), (X,T), (X,TB), \text{ etc.}$$

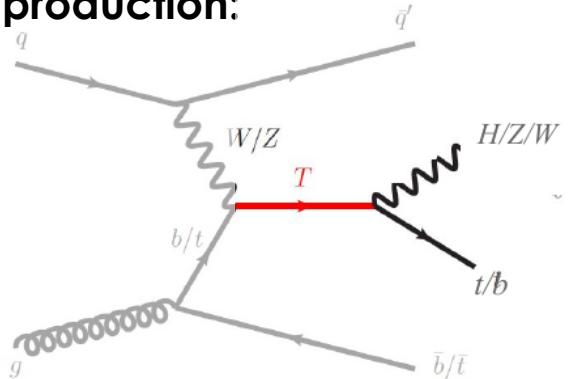
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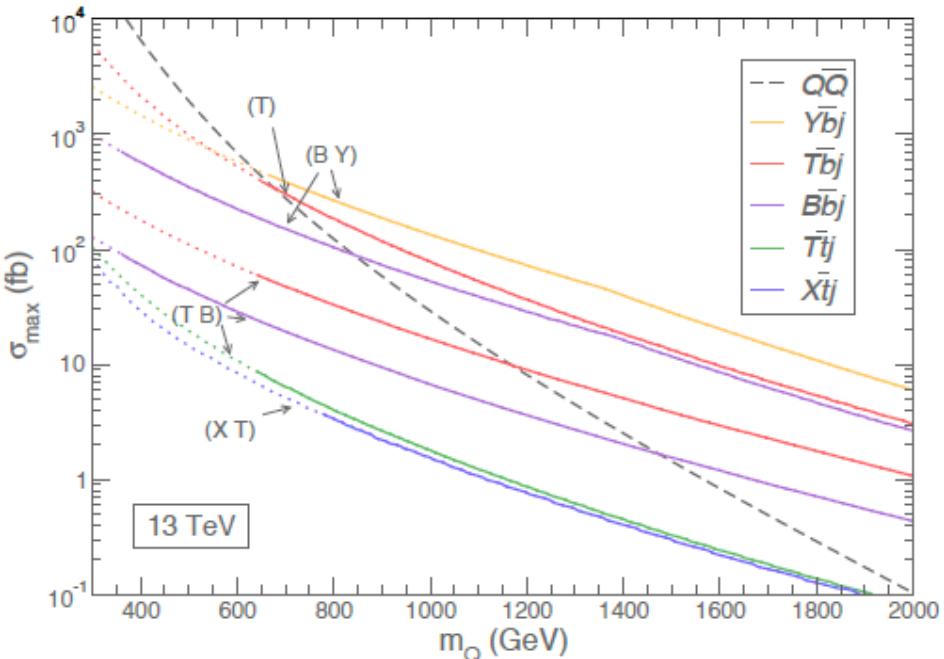


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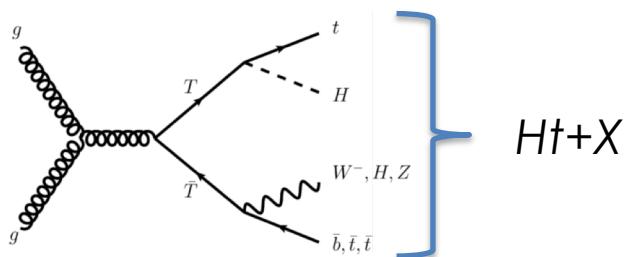


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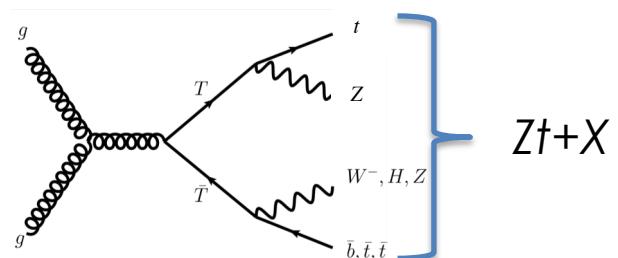
- Dictated by quantum numbers
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 - $B \rightarrow Wt, Zb, Hb$
- Branching ratios depend on model/representation
 - $(T), (T,B), (X,T), (X,T,B), \text{ etc.}$

General Strategy

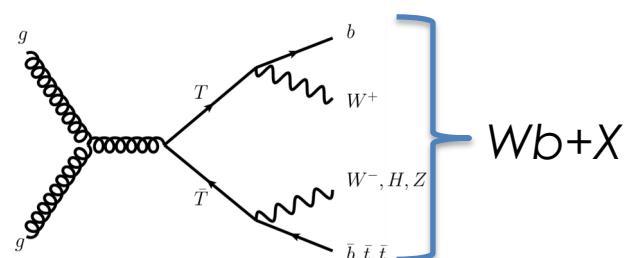
Multiple analyses to target each decay:



$Ht+X$

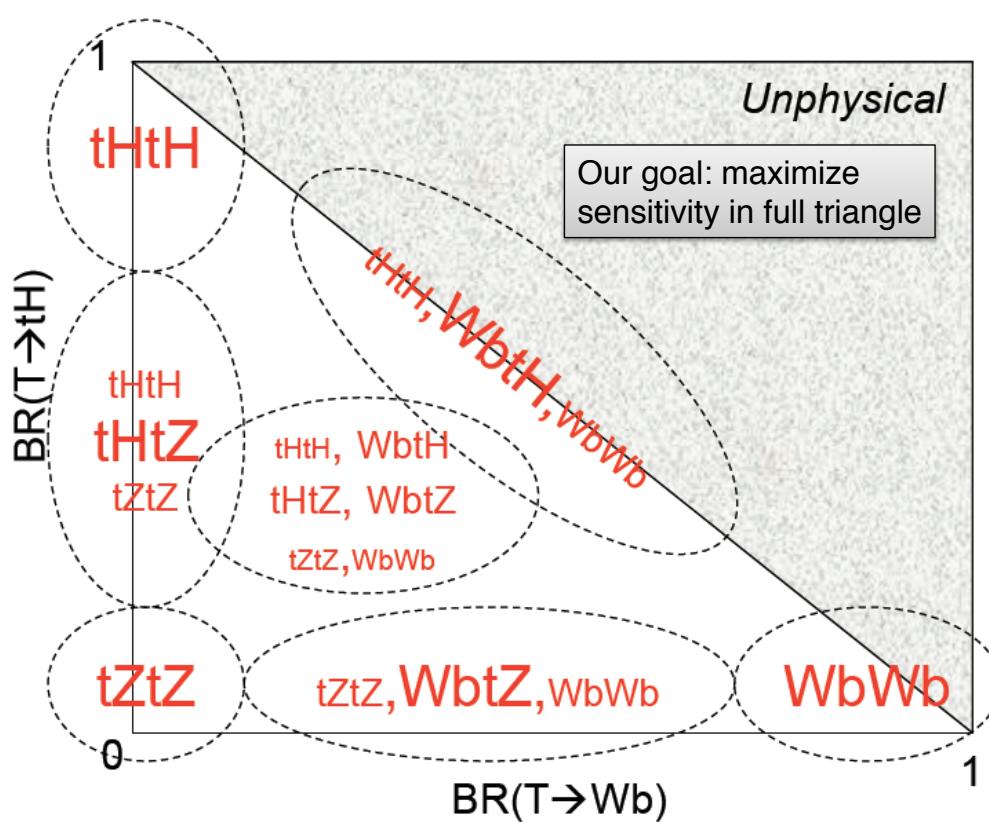


$Zt+X$

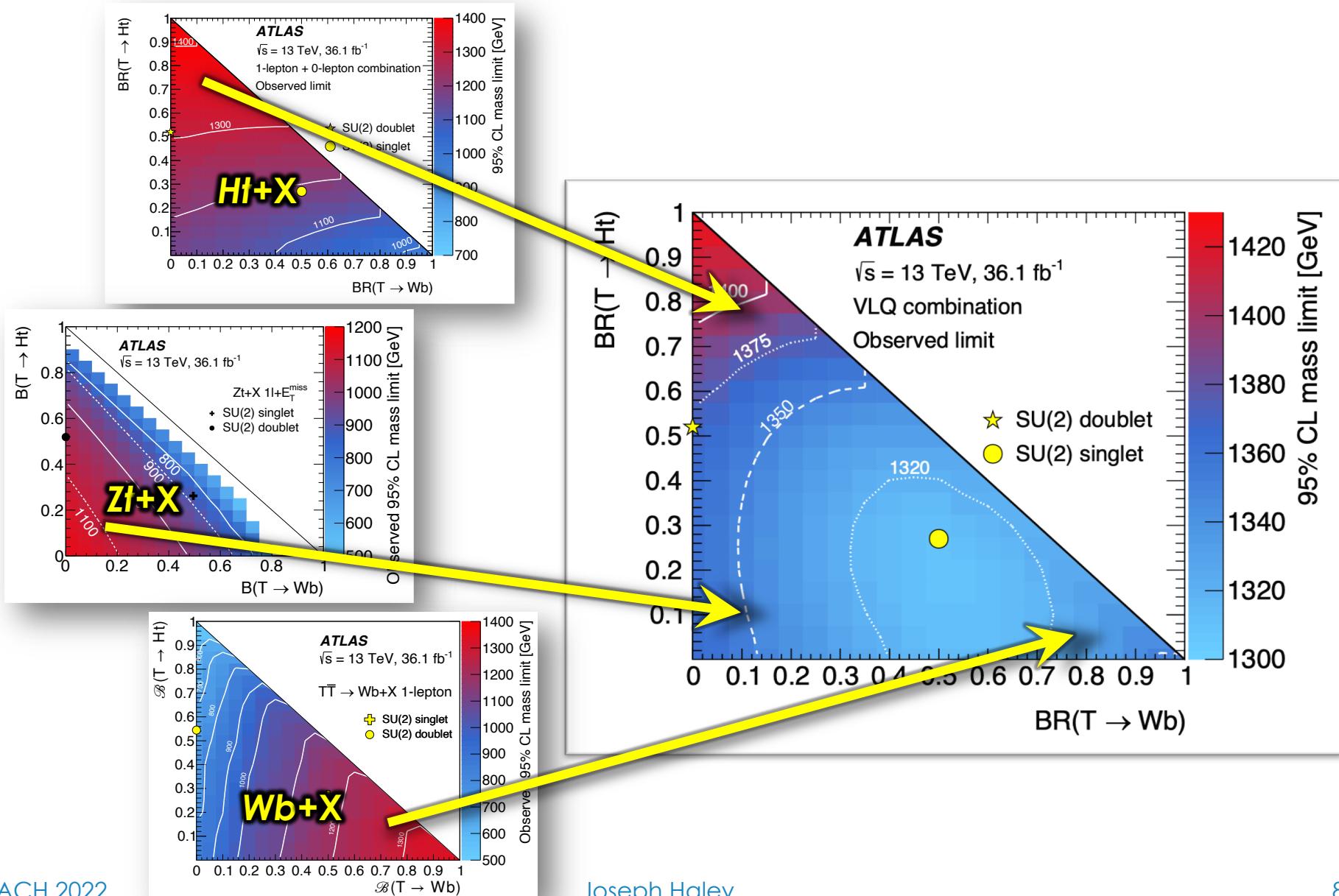


$Wb+X$

Test all possible branching ratios:

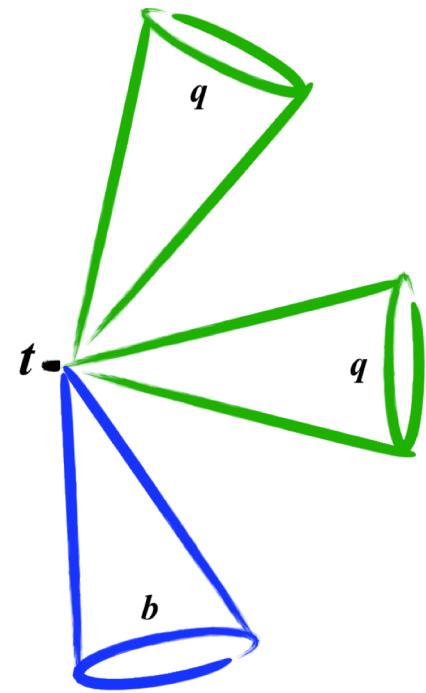
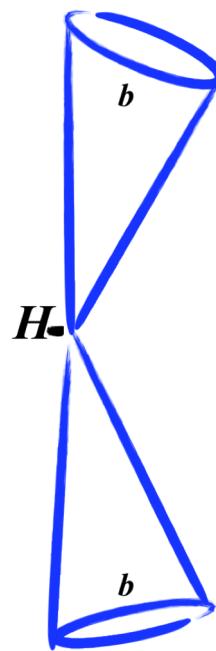
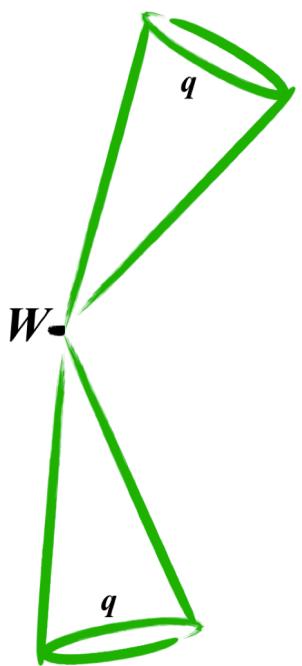


Previous Results (36.1 fb^{-1})

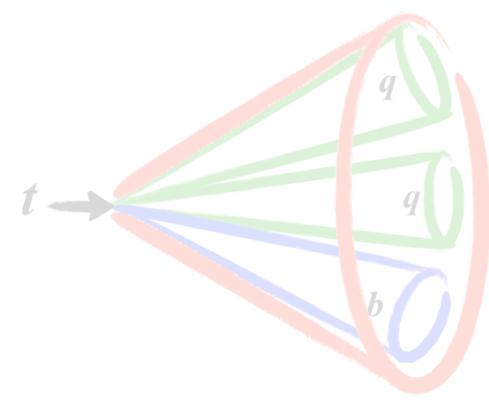
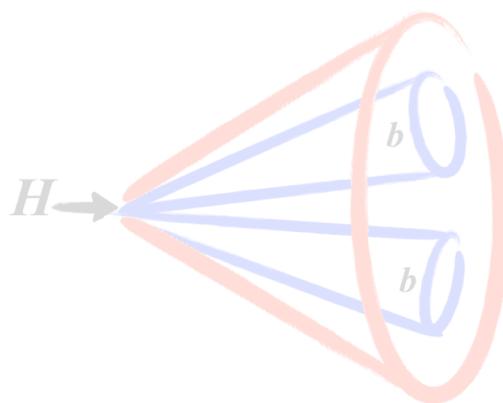
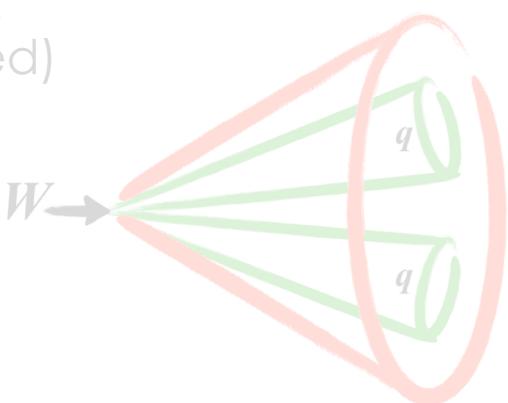


Heavy Objects

With
low- p_T :

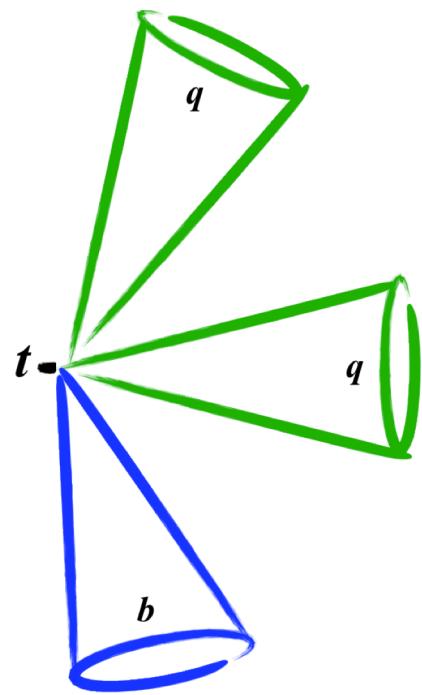
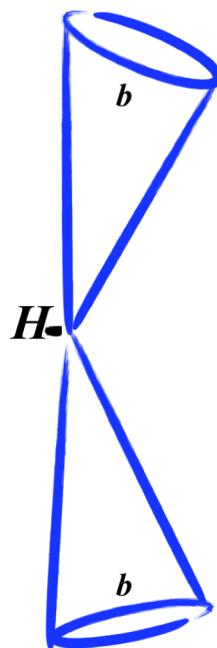
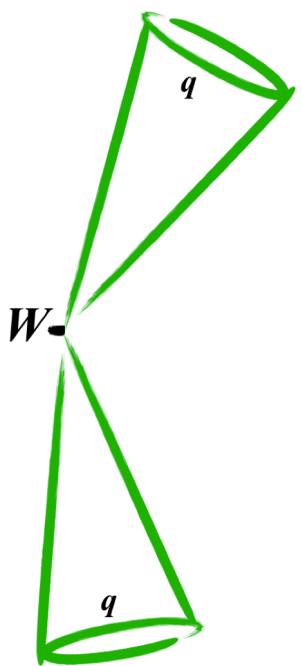


high- p_T :
(boosted)

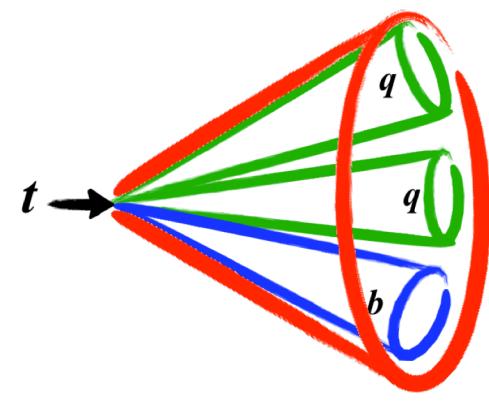
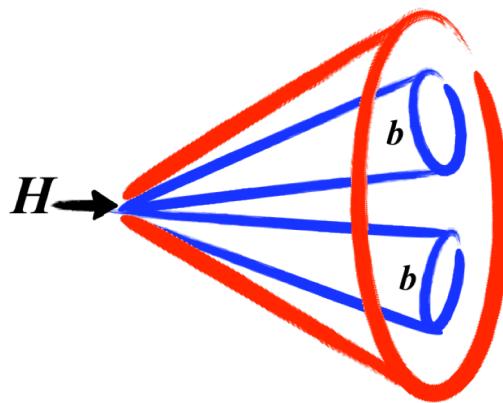
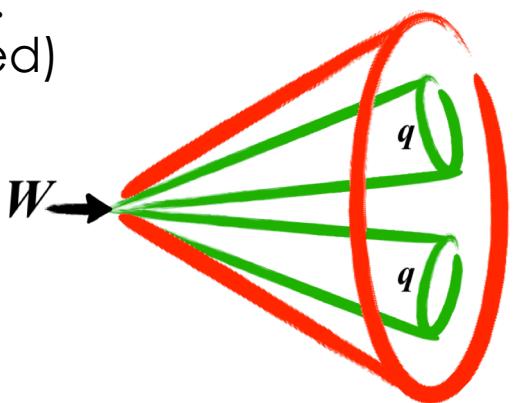


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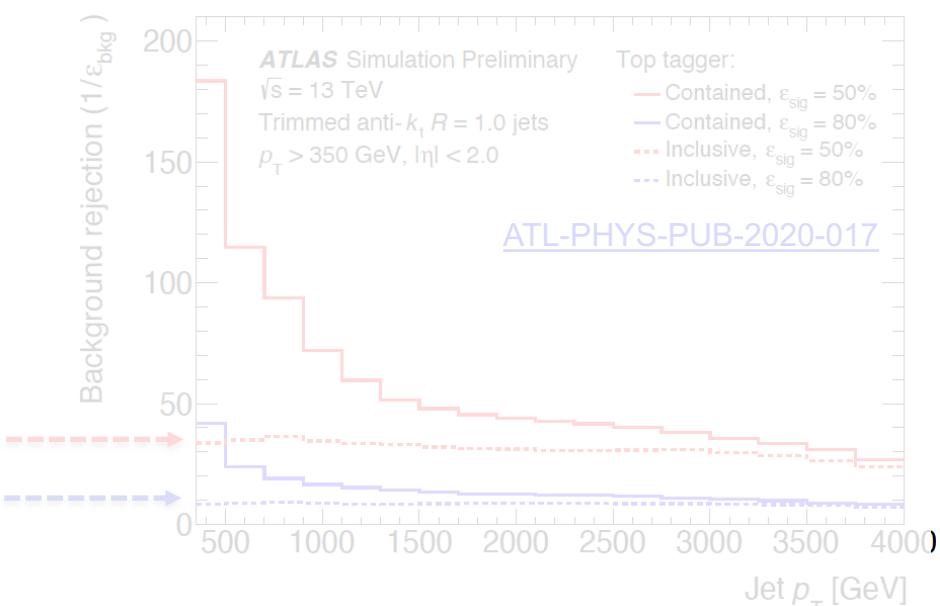
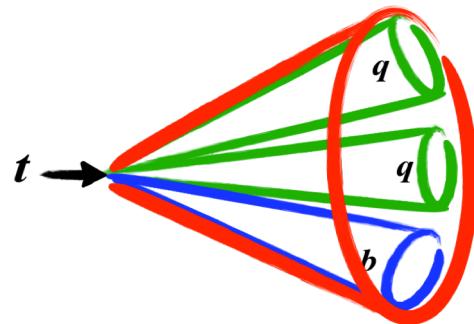
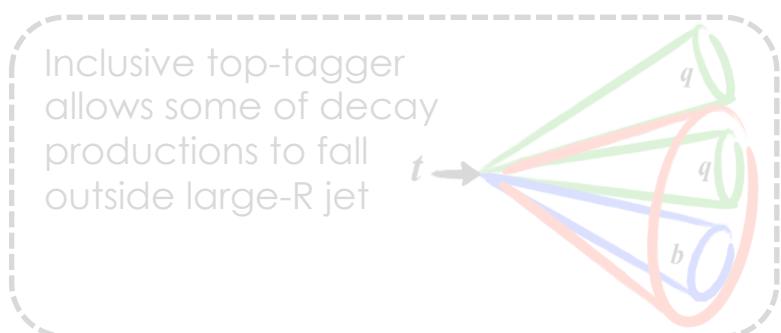
top-tagging

Identify high- p_T **top** quarks ("boosted-tops")

- **Large-radius jet** with highly collimated sub-jets, including one **b-jet**

⇒ Deep Neural Network top-tagger

- Uses kinematics (jet mass, p_T , etc.) and dispersion of jet constituents (N-subjettiness, splitting scales, and energy correlation functions)



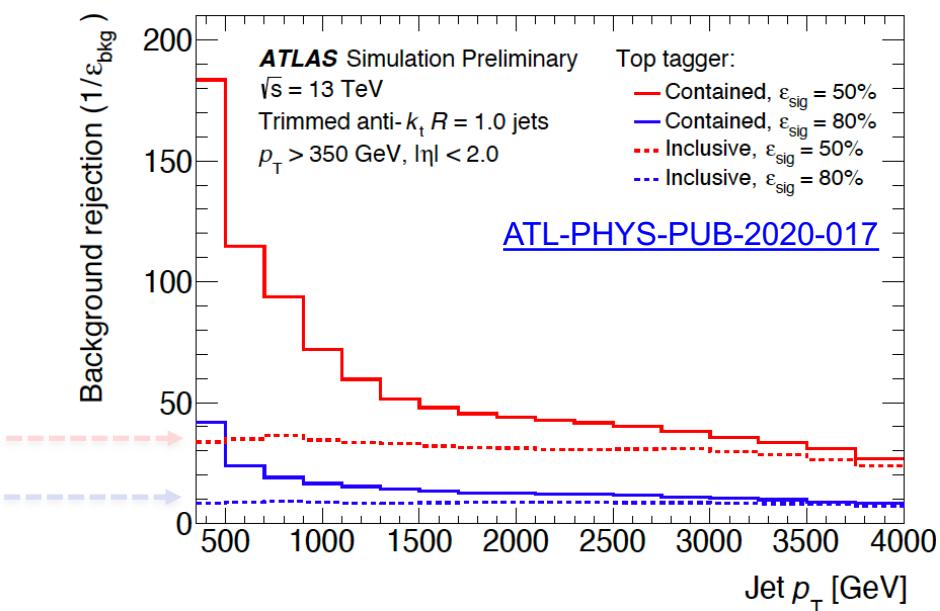
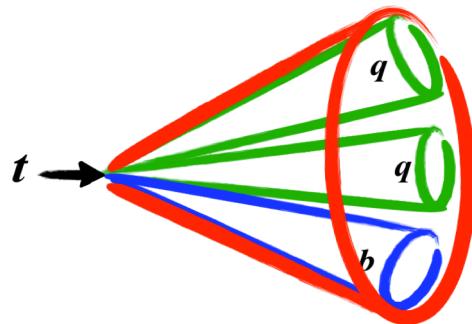
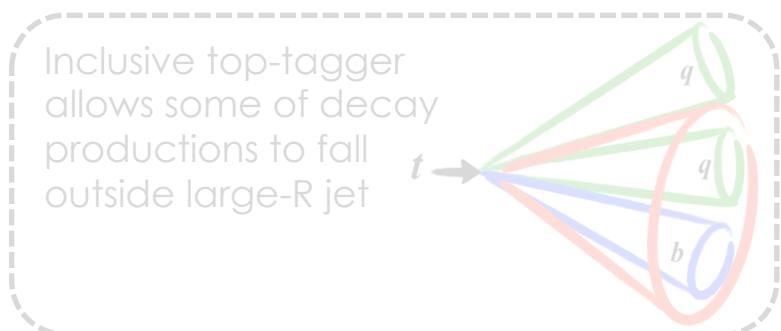
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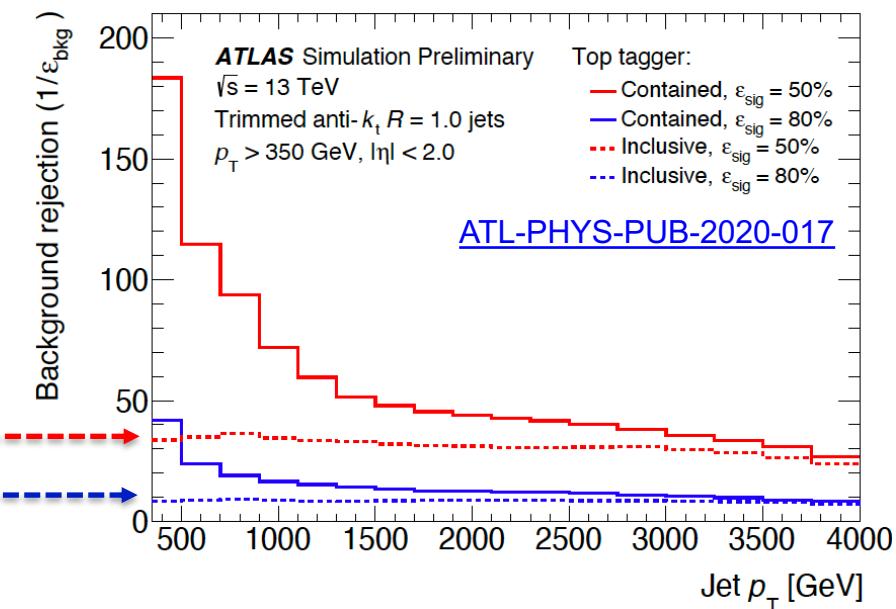
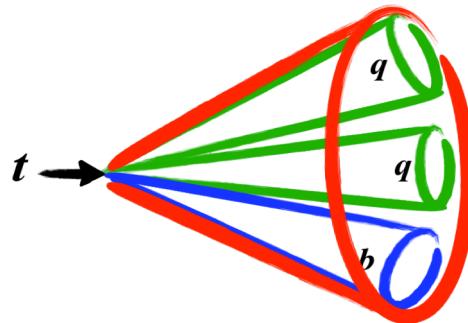
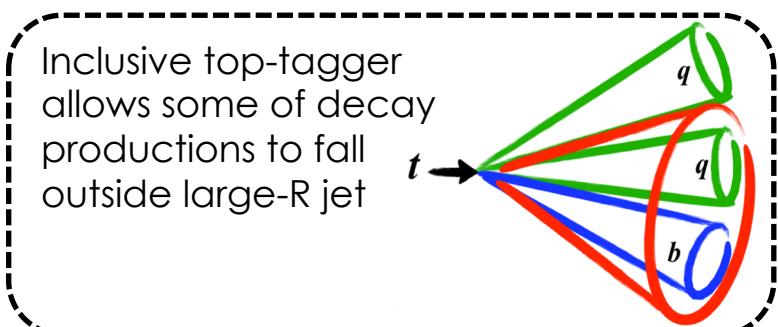
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(Some analyses define their own custom taggers, but idea is the same)

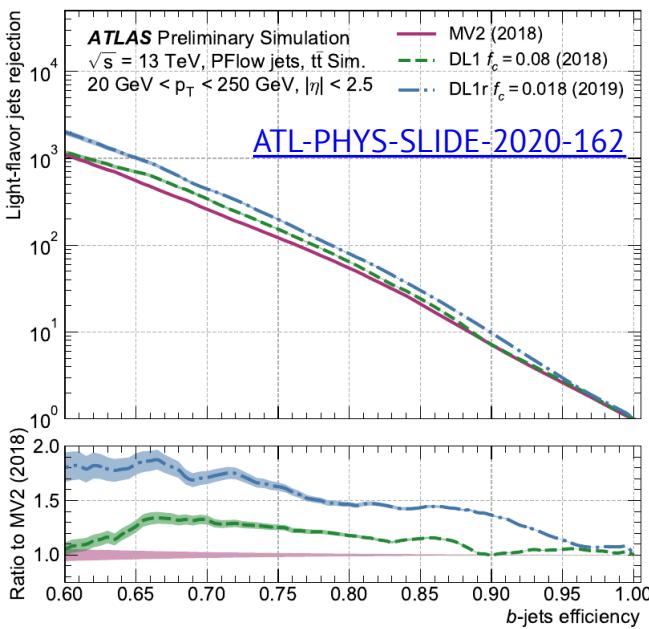
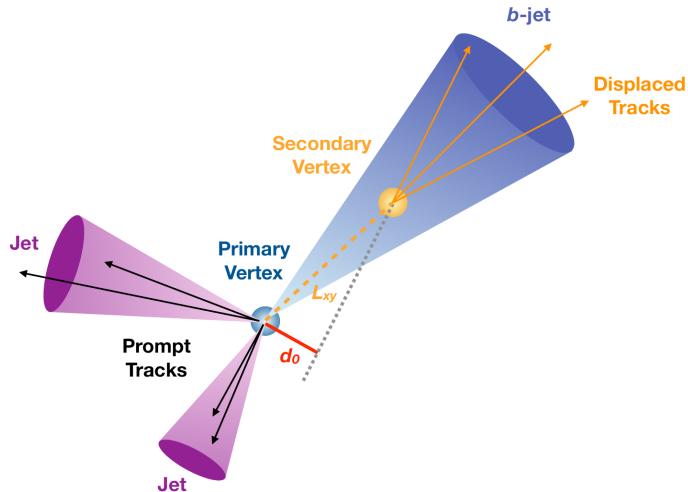
b-tagging

Final states with (multiple) **bottom** quarks

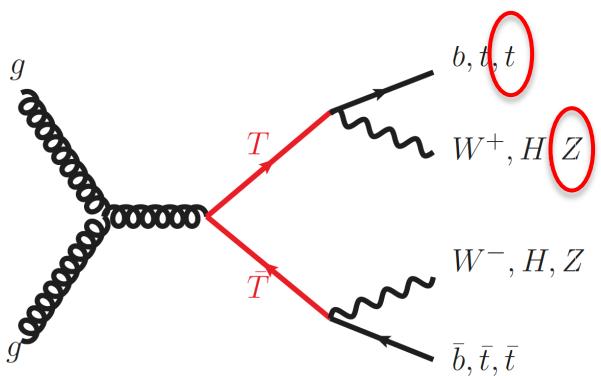
Small-R jet with displaced secondary vertex,
high mass, and high track multiplicity

⇒ Train Deep Neural Network b-tagger

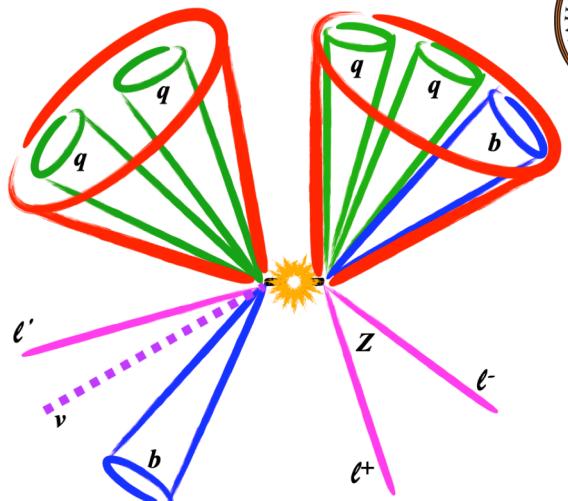
- Dedicated b-taggers for different jet reconstruction algorithms
 - Particle Flow Jets
 - Variable-Radius Track Jets
- Uses previous inputs, plus *recurrent neural network* to exploit correlations between tracks
 - >50% better rejection w.r.t. Boosted Decision Tree



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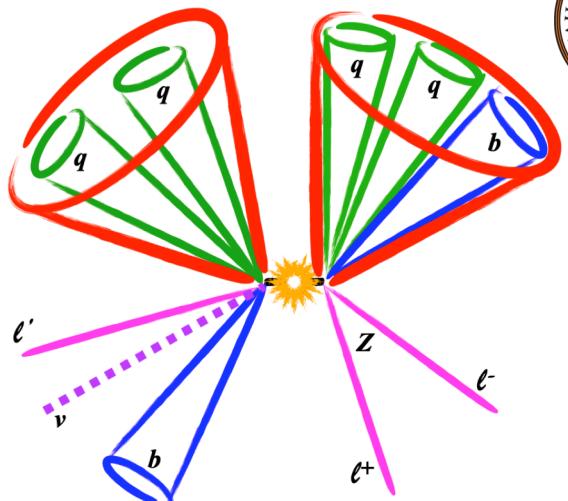
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trilepton decay:



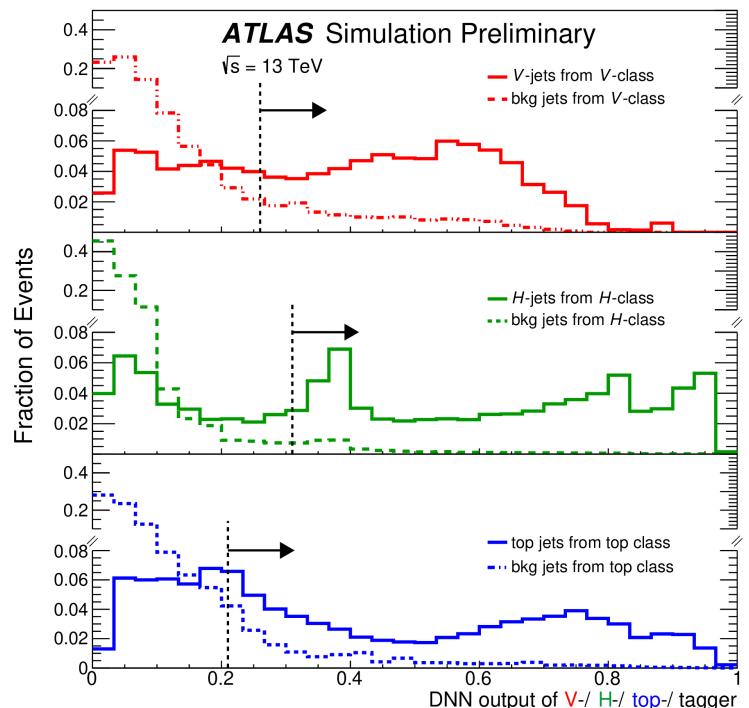
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Independently optimized for
dilepton and **trilepton** final states

DNN “multi-class boosted object
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large-R jets from hadronically decaying top, V, H



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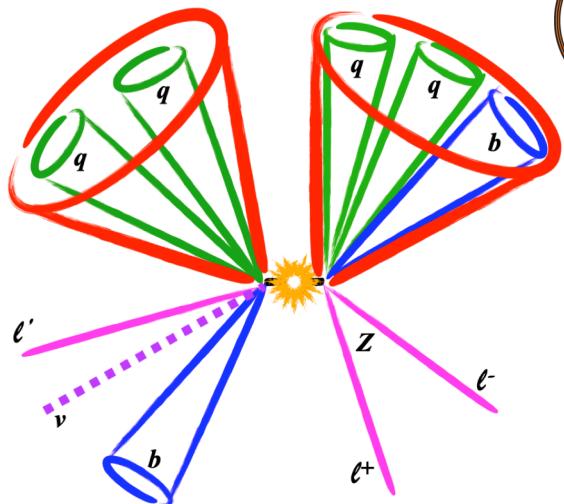


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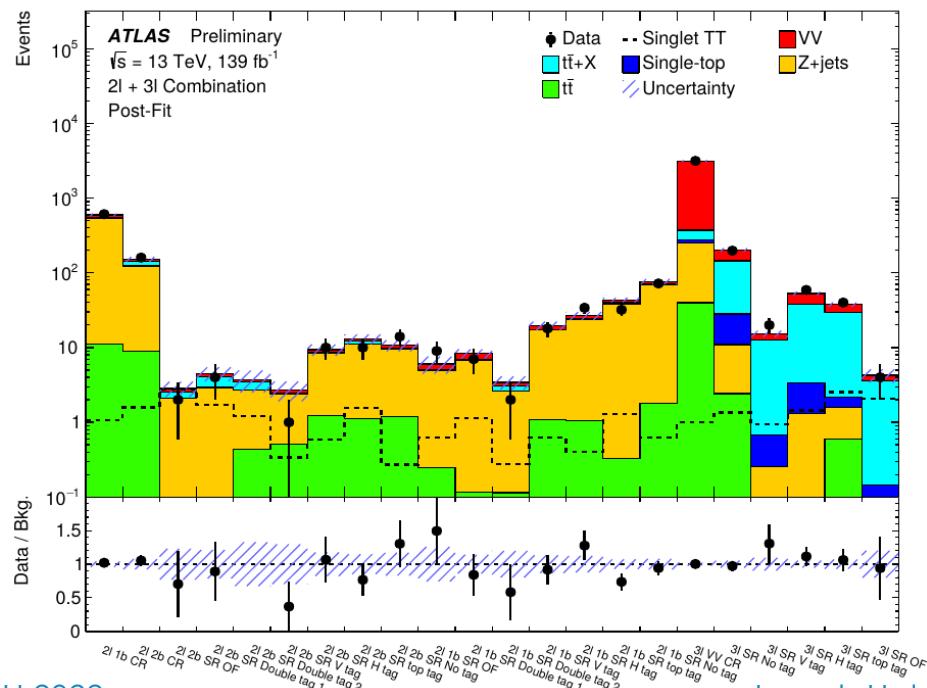
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Example of
trilepton decay:



Define 22 exclusive categories based on kinematic properties, **b-tag** and **MCBOT**



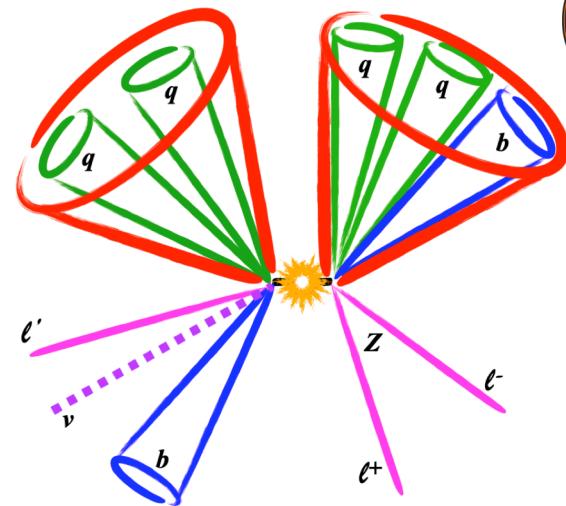
Joseph Haley

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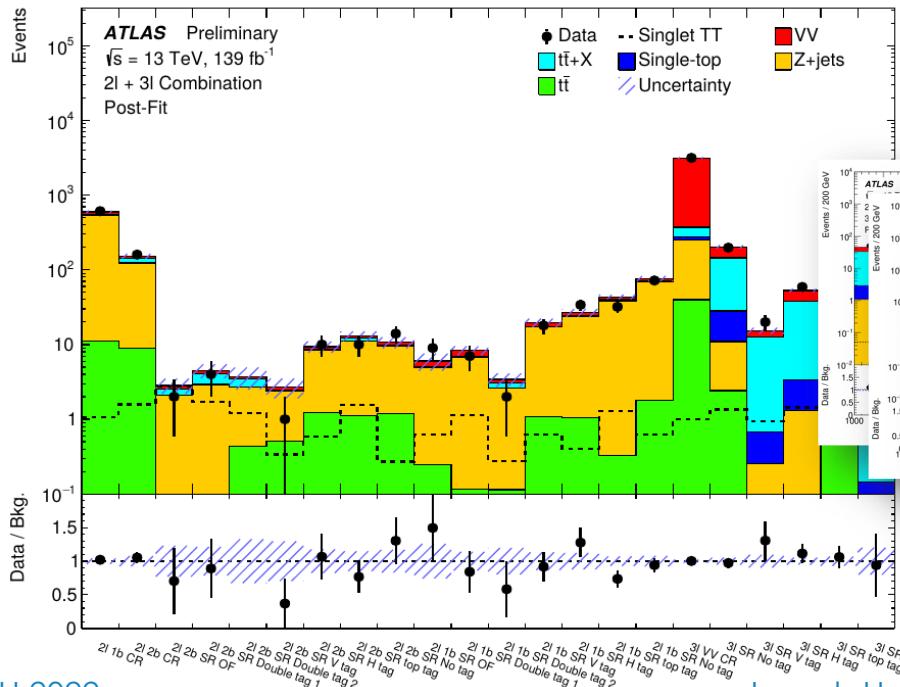
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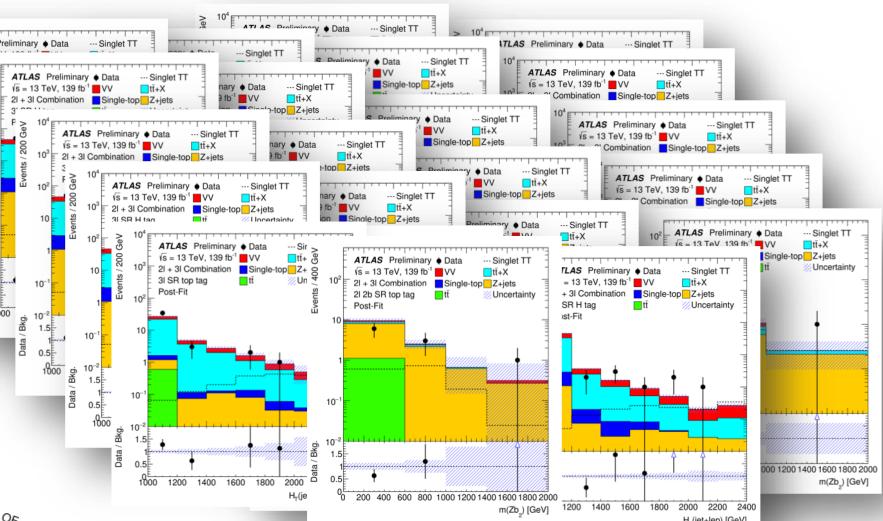
Example of
trilepton decay:



Define 22 exclusive categories based on kinematic properties, b-tag and MCBOT



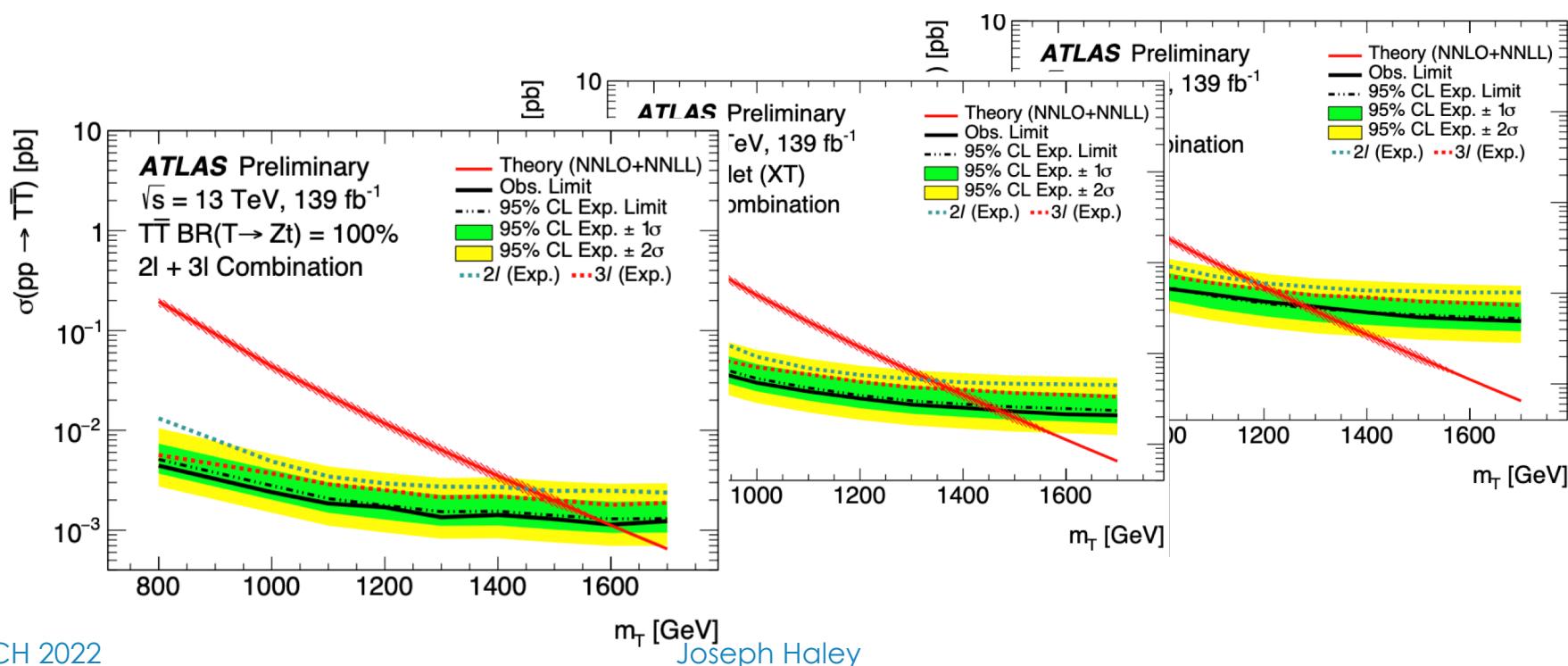
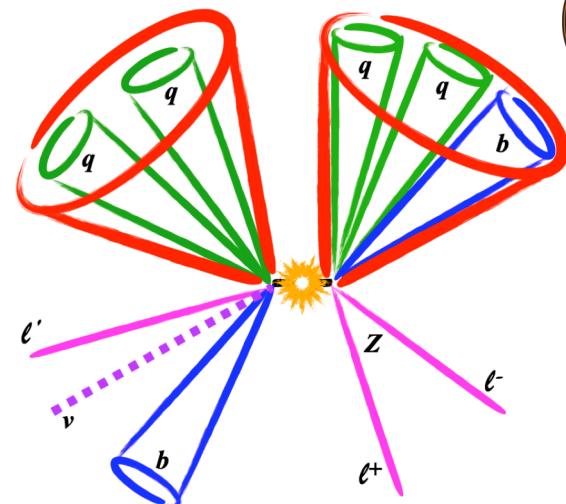
- Simultaneous fit of discriminant distributions in each region



$T\bar{T} \rightarrow Zt + X$, with $Z \rightarrow \ell\ell$

Analyze full Run 2 ATLAS dataset (139fb^{-1})

- Sensitivity limited by statistical uncertainties
 - No deviations from the background-only model observed
- ⇒ Limits on cross-section vs. VLQ mass for **benchmark** scenarios



$T\bar{T} \rightarrow Zt + X$, with $Z \rightarrow \ell\ell$

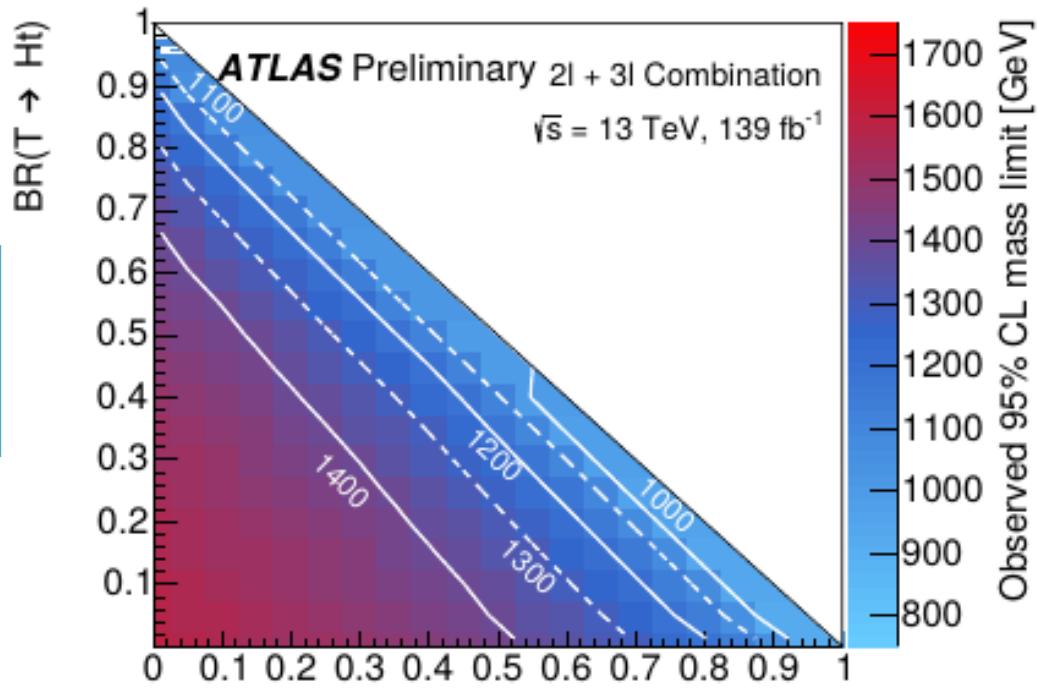
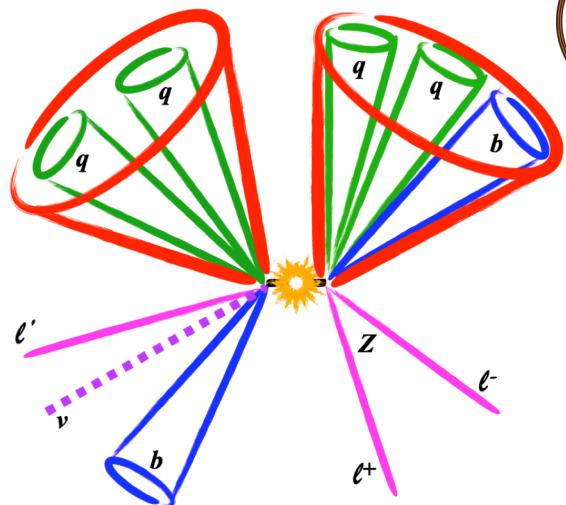
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- Sensitivity limited by statistical uncertainties
- No deviations from the background-only model observed

⇒ Limits on cross-section vs. VLQ mass for **benchmark** scenarios

⇒ **Model-independent limits** on VLQ mass vs. branching ratio:

Extends the excluded B & T mass limits by more than 200 GeV compared to previous analysis using 2015+16 data (36fb^{-1})



$T \rightarrow Ht/Zt$, with $t \rightarrow lvb$

Leptonic top: High-pT e/ μ + E_T^{miss} + b-jet

Boosted H or Z: Small-R jets “re-clustered” into **Large-R** jets

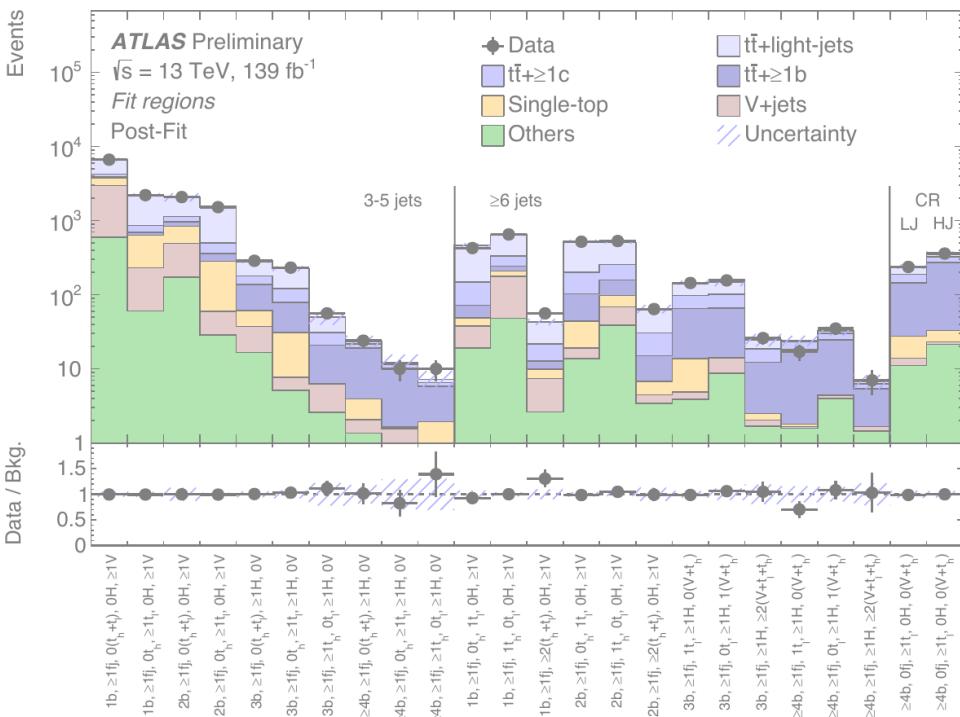
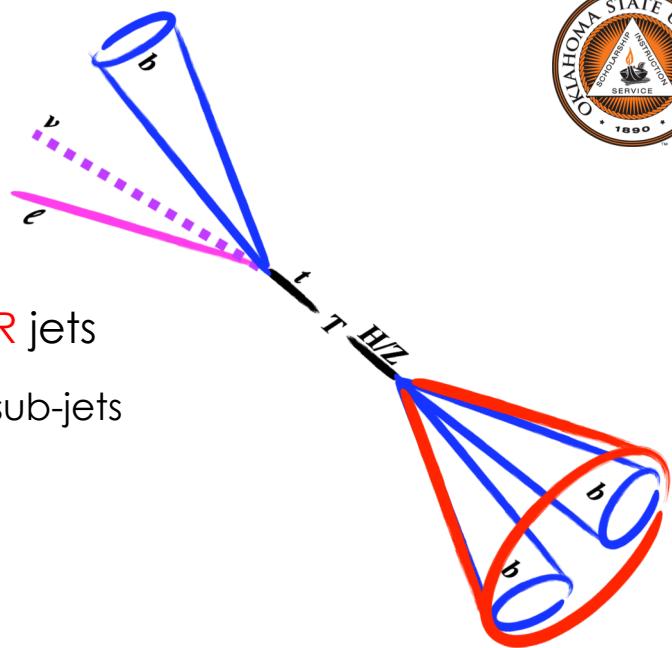
- Tag as H, V, or top based on jet mass, p_T and number of sub-jets

Sensitivity limited by modeling uncertainties on dominant $t\bar{t}$ and single top backgrounds

- Data-driven kinematic reweighting for $t\bar{t}$ & tW and V+jets

Divide events into 24 regions based on number of **jets**, **b-tags**, **H**, **V**, & **top-tags**

Perform combined fit to discriminating variable in all regions



$T \rightarrow Ht/Zt$, with $t \rightarrow lvb$

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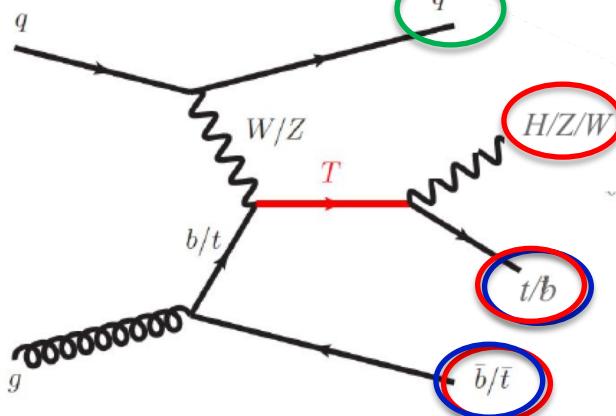
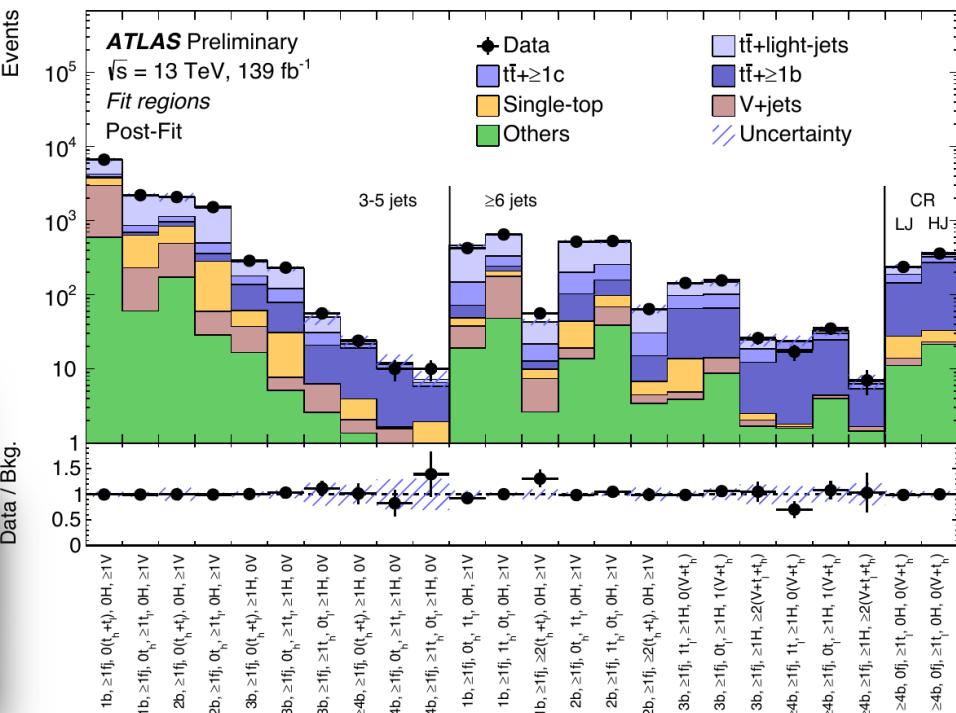
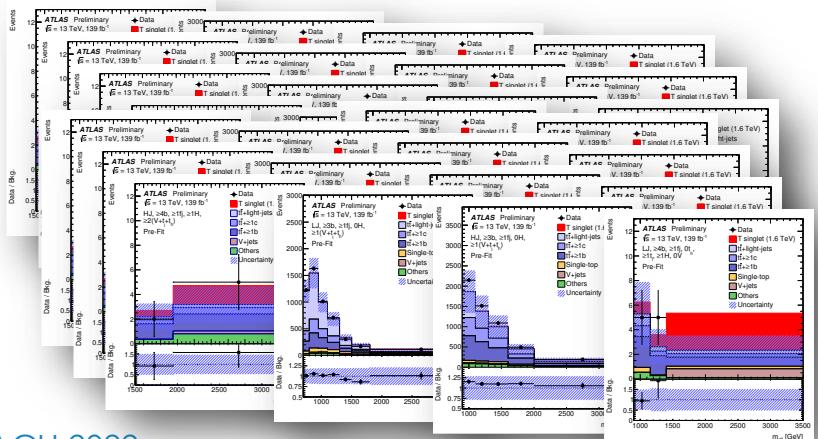
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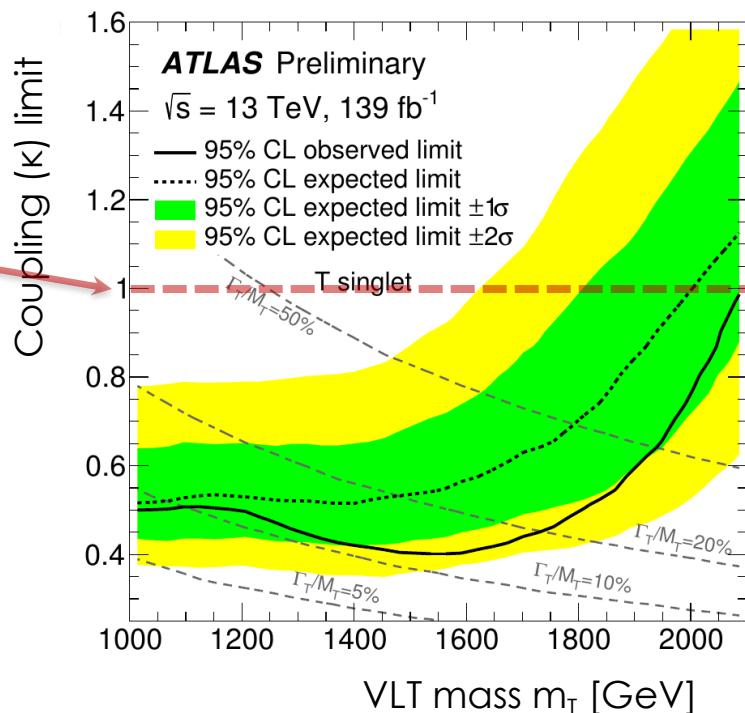
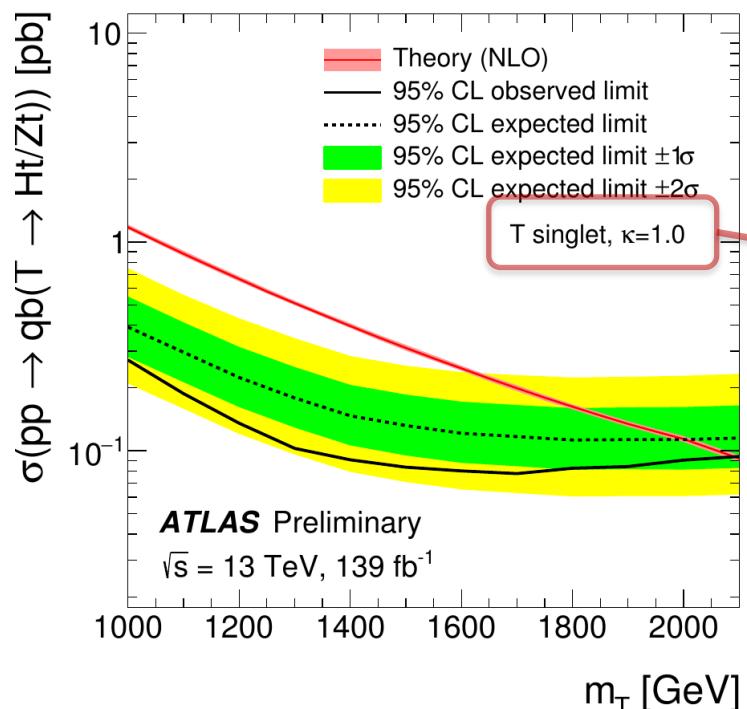


$T \rightarrow Ht/Zt$, with $t \rightarrow lvb$

Analyze full Run 2 ATLAS data set (139 fb⁻¹)

No deviation from the background-only hypothesis

⇒ Set limits on singlet T as a function of mass m_T and coupling constant κ

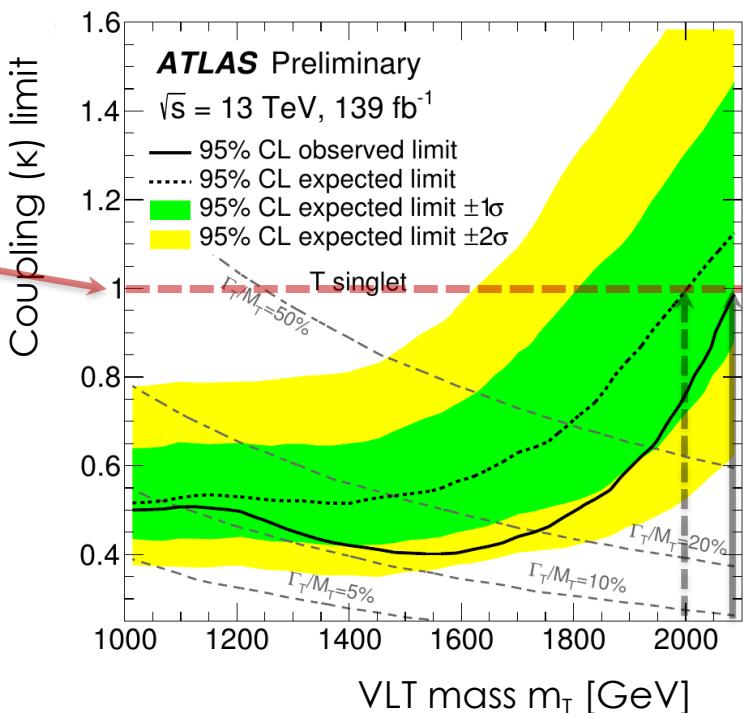
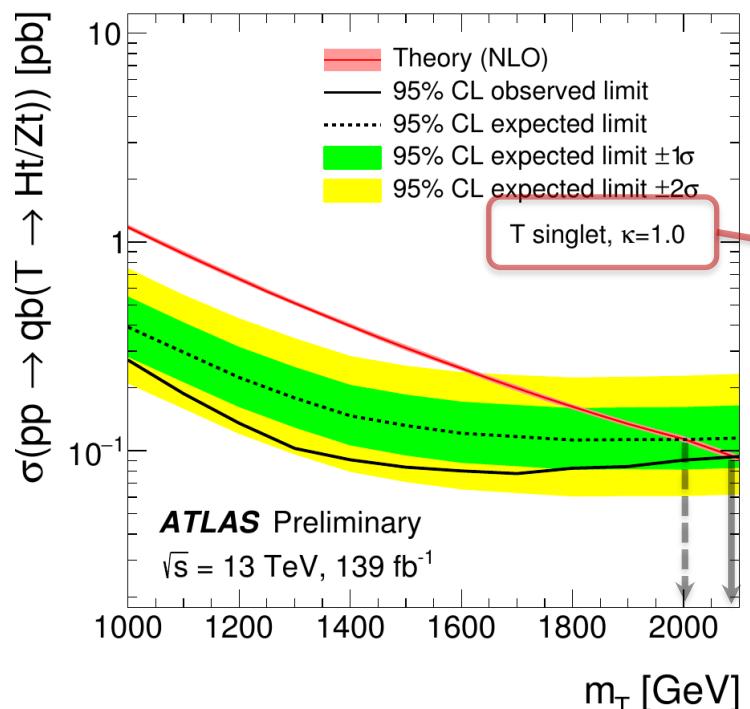


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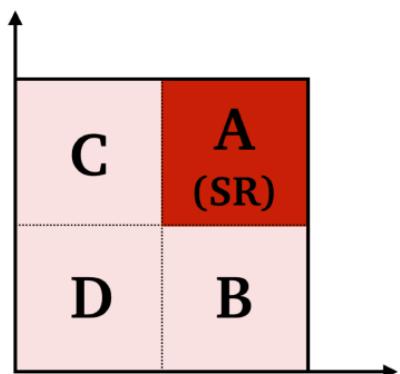
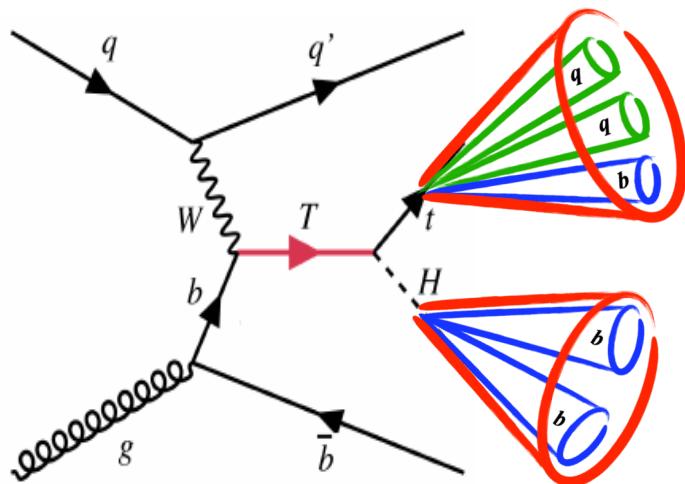
$T \rightarrow Ht$ with hadronic final state

$T \rightarrow Ht$ with $H \rightarrow bb$ and $t \rightarrow qqb$

- 2 high-pT large-R jets with b-subjets

Dominant background from QCD multijet events

- Estimate from data using an extension of the “ABCD” method
- 2D grid based on the tagging of the two large-R jets
 - Higgs or top tag
 - Number of b-tagged VRTrack jets inside large-R jet



$$N_A = N_B \times \frac{N_C}{N_D}$$

$T \rightarrow Ht$ with hadronic final state

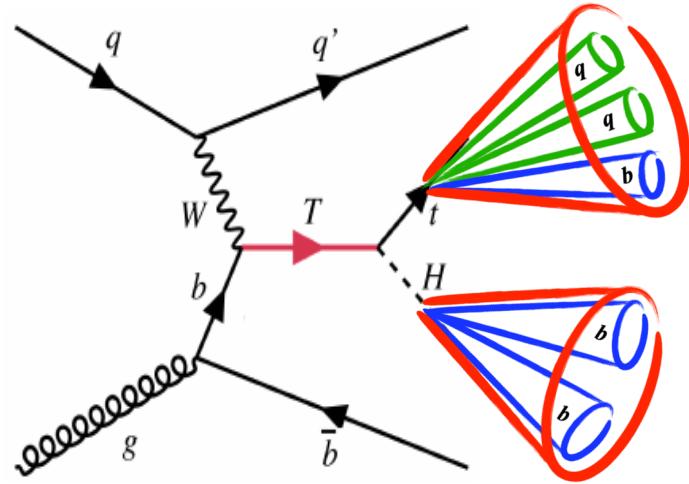
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Second-leading large-R jet tagging state	Leading large-R jet tagging state									
	0t 0H ≥2b	0t 1H ≥2b	0t 0H ≥2b	1t 0H ≥2b	VR8	NR	SR	NR	0t 1H ≥2b	0t 0H ≥2b
					VR6		SR			SR
	1t 0H 1b					NR		SR		NR
	0t 1H 1b					VR1				
	0t 0H 1b					VR2			VR7	
	1t 0H 0b					VR3		VR5		
	0t 1H 0b					VR4				
	0t 0H 0b									
	0t 0H 0b	0t 1H 0b	1t 0H 0b	0t 0H 1b	0t 1H 1b	1t 0H 1b	0t 0H ≥2b	0t 1H ≥2b	1t 0H ≥2b	



$T \rightarrow Ht$ with hadronic final state

$T \rightarrow Ht$ with $H \rightarrow bb$ and $t \rightarrow qqb$

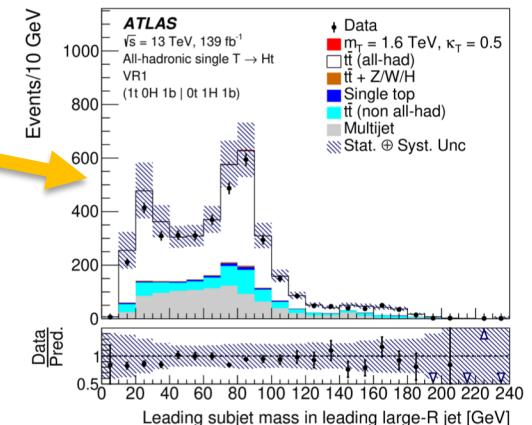
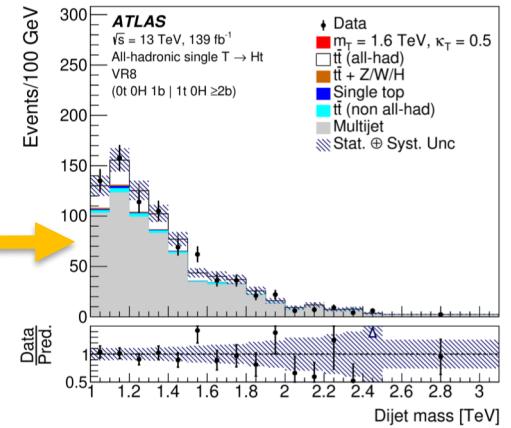
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		Leading large-R jet tagging state									
		0t 0H 0b	0t 1H 0b	1t 0H 0b	0t 0H 1b	0t 1H 1b	1t 0H 1b	0t 0H ≥2b	0t 1H ≥2b	1t 0H ≥2b	
Second-leading large-R jet tagging state	1t 0H ≥2b				VR8		NR	SR	NR		
	0t 1H ≥2b			VR6			SR		SR		
	0t 0H ≥2b										
	1t 0H 1b					NR		SR	NR		
	0t 1H 1b					VR1					
	0t 0H 1b					VR2				VR7	
	1t 0H 0b					VR3			VR5		
	0t 1H 0b					VR4					
	0t 0H 0b										
		0t 0H 0b	0t 1H 0b	1t 0H 0b	0t 0H 1b	0t 1H 1b	1t 0H 1b	0t 0H ≥2b	0t 1H ≥2b	1t 0H ≥2b	

- Validation Regions (VRs) enhanced in backgrounds
→ Validate background modeling



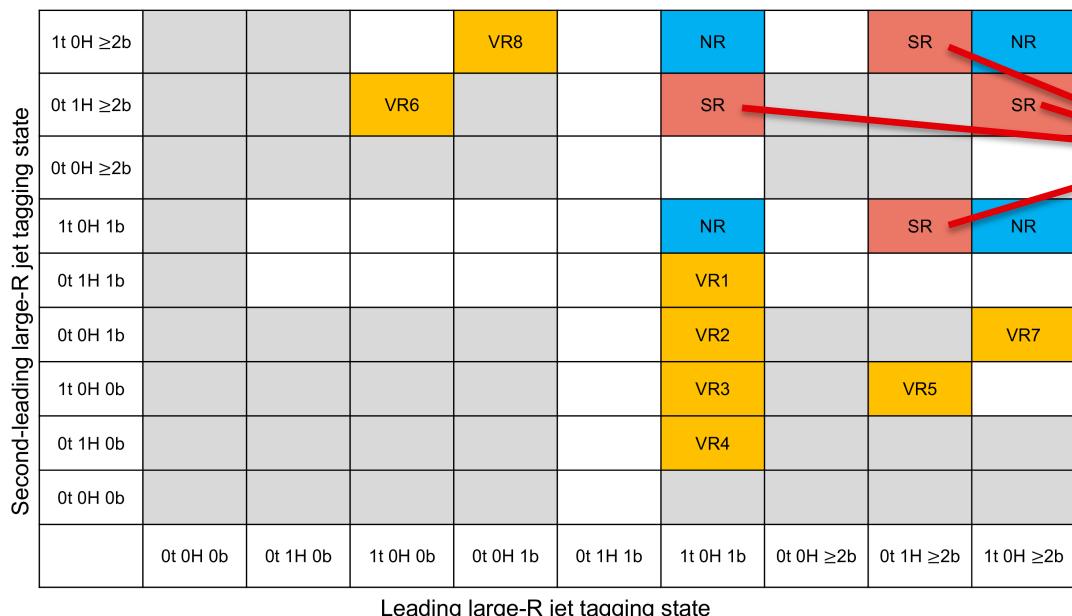
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$T \rightarrow Ht$ with $H \rightarrow bb$ and $t \rightarrow qqb$

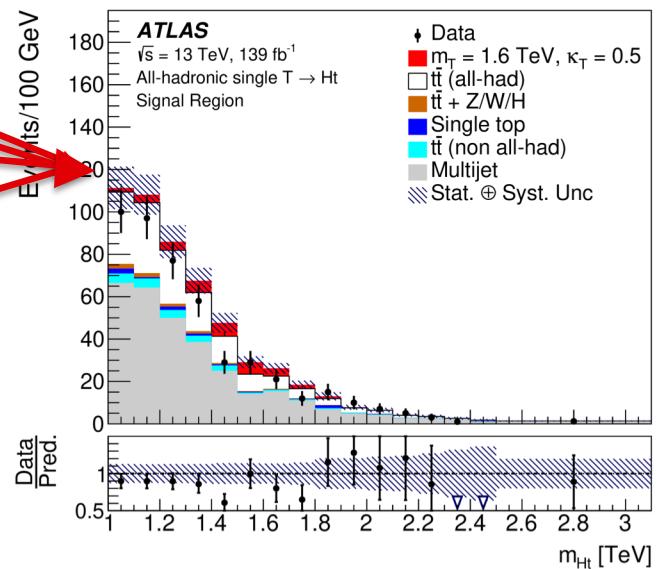
- 2 high-pT large-R jets with b-subjets

Dominant background from QCD multijet events

- Estimate from data using an extension of the “ABCD” method
- 2D grid based on the tagging of the two large-R jets
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- Validation Regions (VRs) enhanced in backgrounds
 - Validate background modeling
- Signal Region (SR) enhanced in signal
 - Sensitive to $T \rightarrow Ht$



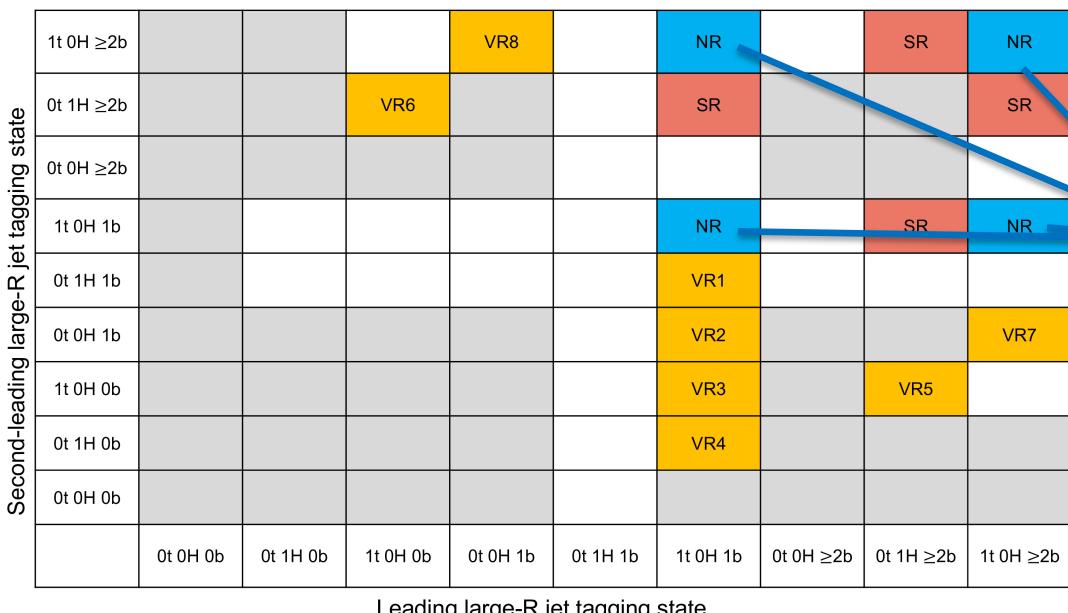
$T \rightarrow Ht$ with hadronic final state

$T \rightarrow Ht$ with $H \rightarrow bb$ and $t \rightarrow qqb$

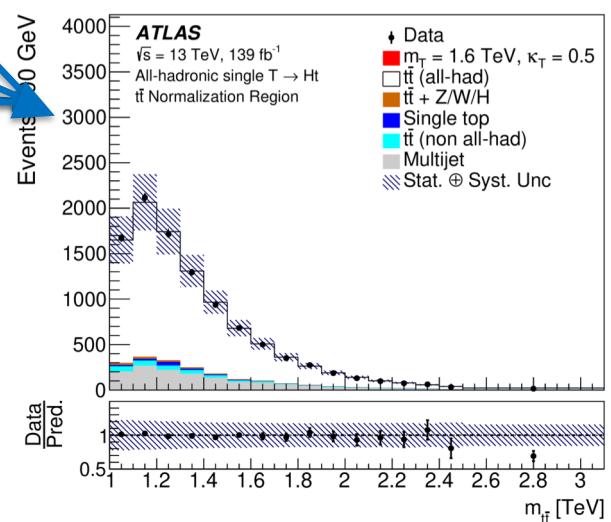
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Dominant background from QCD multijet events

- Estimate from data using an extension of the “ABCD” method
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- Validation Regions (VRs) enhanced in backgrounds
 - Validate background modeling
- Signal Region (SR) enhanced in signal
 - Sensitive to $T \rightarrow Ht$
- Normalization Region (NR) enhanced in ttbar
 - Use in fit to constrain ttbar



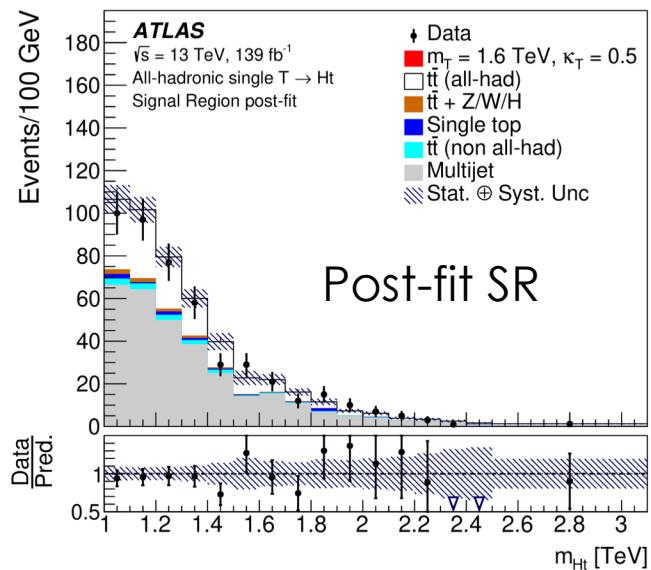
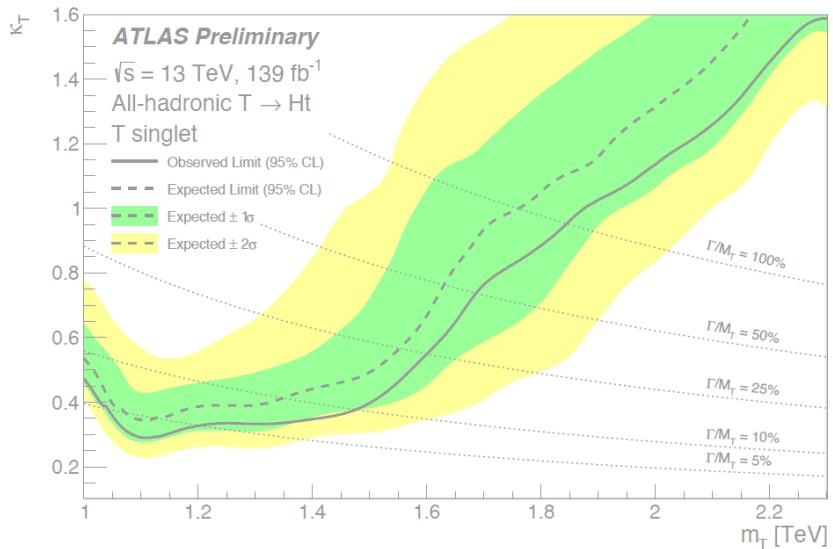
$T \rightarrow Ht$ with hadronic final state

Simultaneous fit of dijet mass distribution in SR and NR

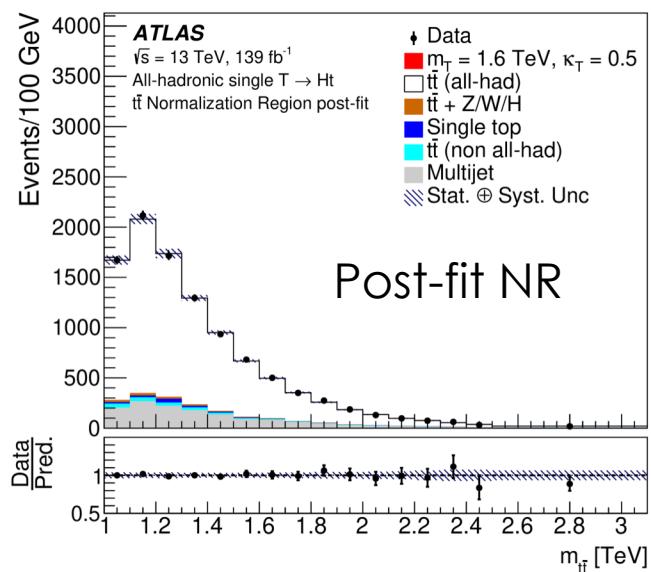
- Fit of signal cross section and normalization of $t\bar{t}$ background

Set limit as a function of the T mass m_T and coupling κ

⇒ Exclude couplings above $\kappa \approx 0.4$ for low VLQ masses ($m_T \lesssim 1.5$ TeV)



Post-fit SR



Post-fit NR

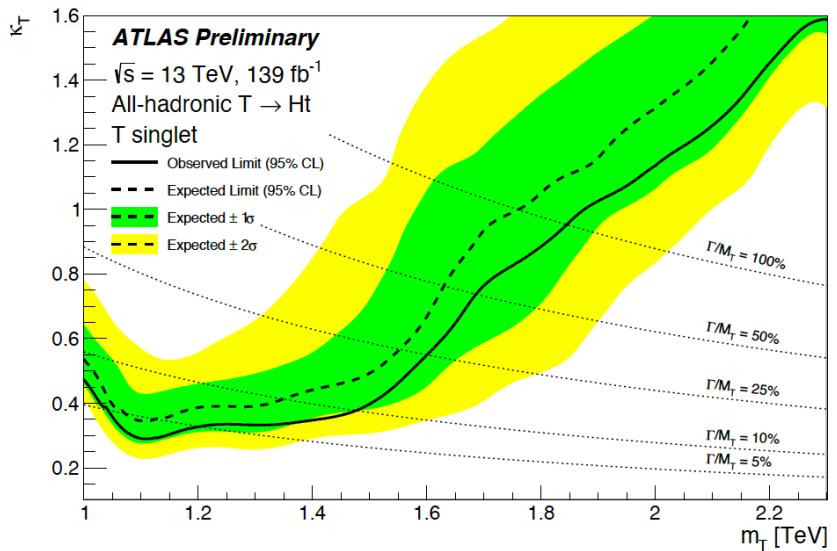
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Simultaneous fit of dijet mass distribution in SR and NR

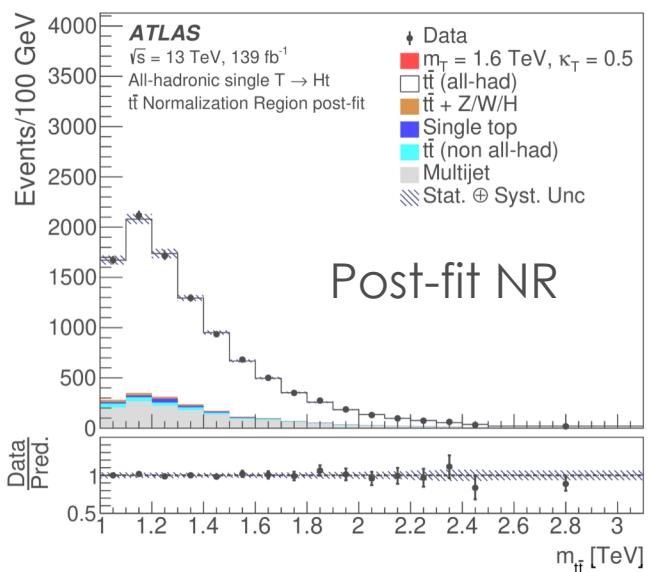
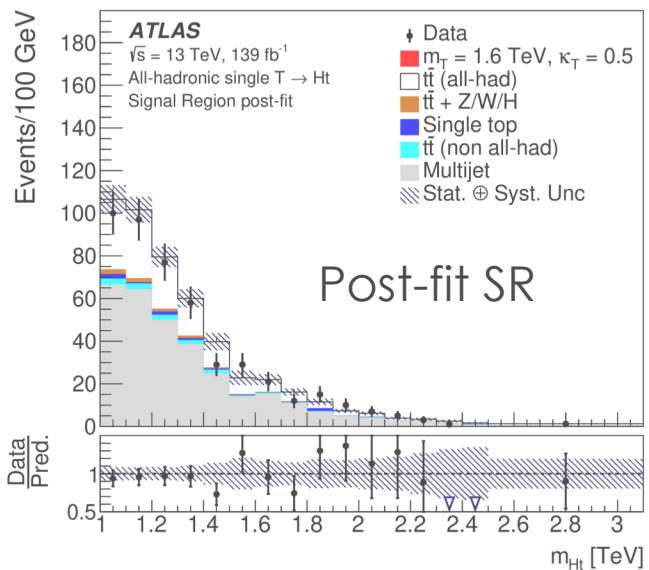
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Sensitivity gains from improved multijet estimation, jet tagging, and exploitation of boosted topologies.



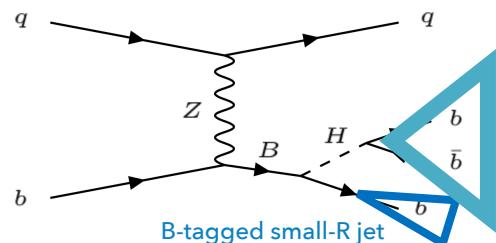
$B \rightarrow Hb$, with $H \rightarrow bb$

Require 3 b-tagged small-R jets

⇒ Critical to reduce dominant multijet background

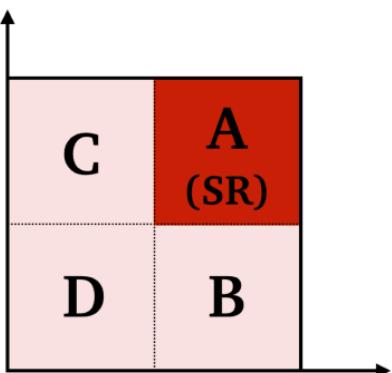
Identify boosted $H \rightarrow bb$

⇒ Large-R jet with mass $\approx m_H$ & contains 2 b-tagged track jets



Purely data-driven background estimate using “ABCD” method

- Extrapolate background from control region (B) to search region (A) using transfer functions measured in neighboring regions (C/D)



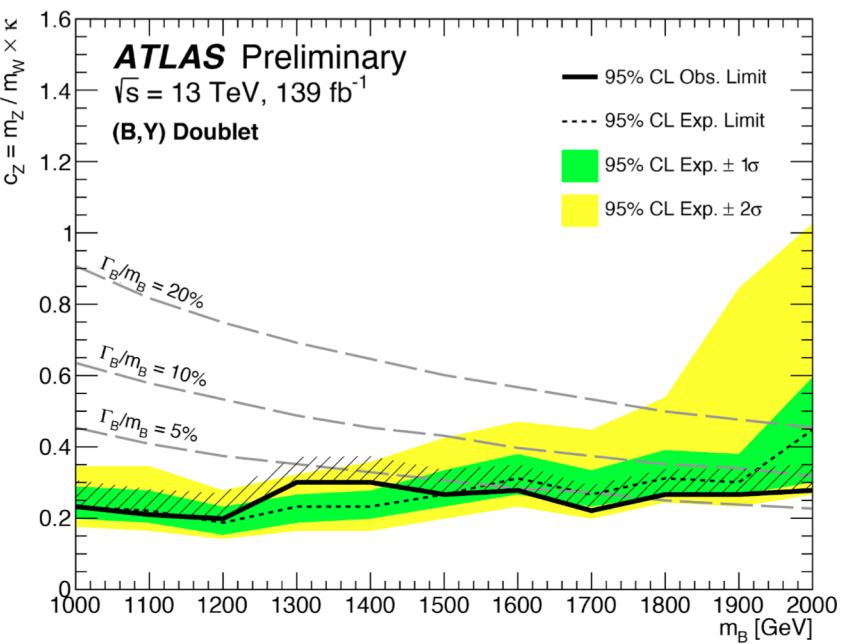
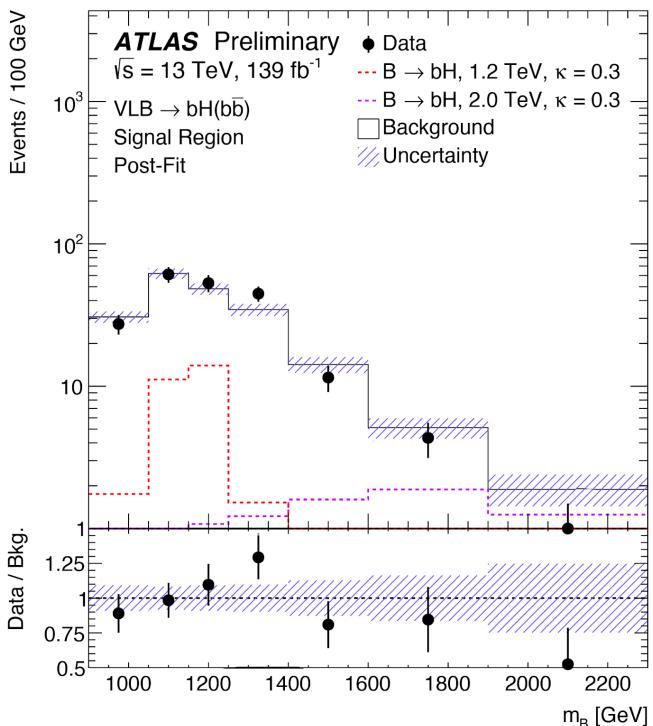
$$N_A = N_B \times \frac{N_C}{N_D}$$

$B \rightarrow Hb$, with $H \rightarrow b\bar{b}$

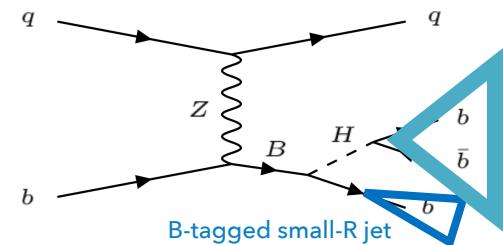
Binned maximum-likelihood fit to reconstructed B mass distribution m_B

No significant excesses found in full Run 2 dataset

⇒ Set limits on coupling and as a function of the VLB mass:



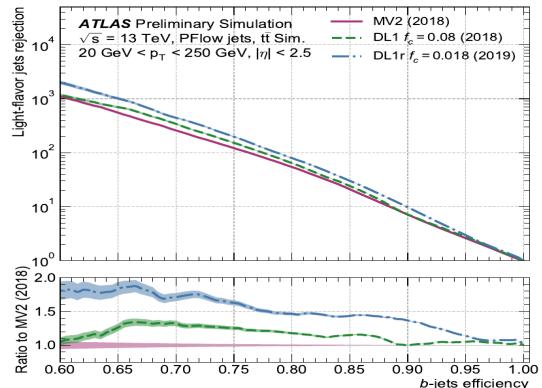
**Significantly extended B parameter space being probed
(previous limits: for (B,Y) doublet scenario @1.2TeV)**



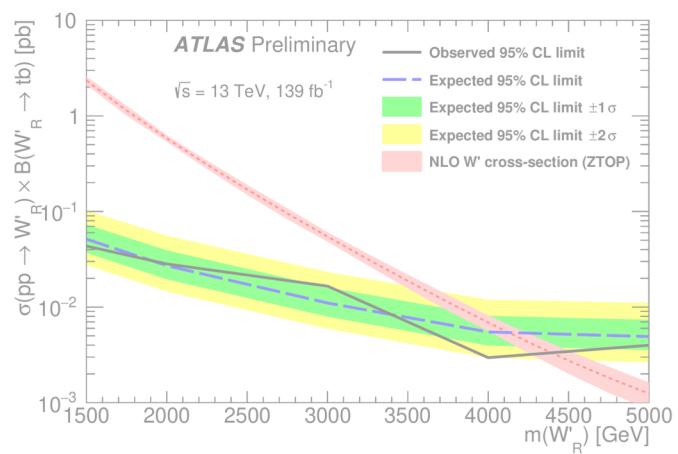
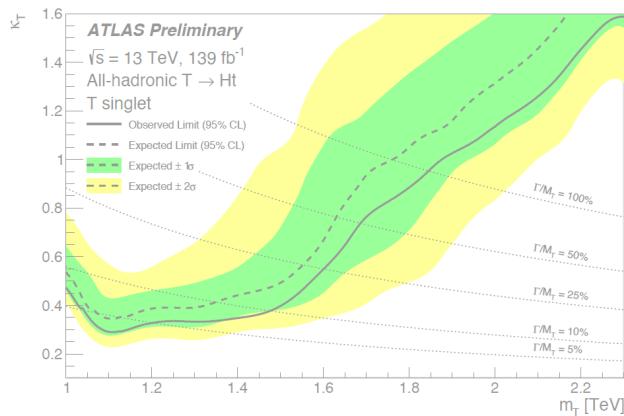
Conclusion

Many recent results from searches for vector-like partners to top and bottom quarks using ATLAS Run 2 data

- Significant improvements in sensitivity provided by new b- and top-tagging techniques
- Also improved background modeling



Unfortunately, still no signs of new physics...



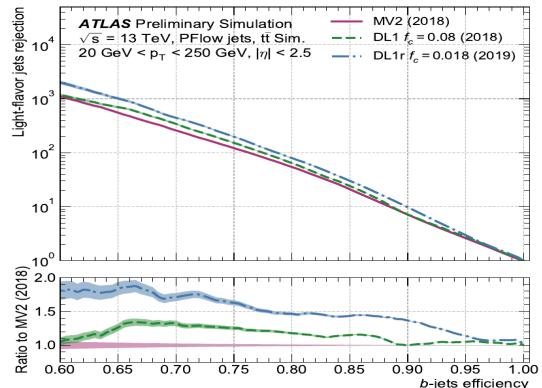
But more Run 2 analyses coming soon!

... And Run 3 just around the corner!!!

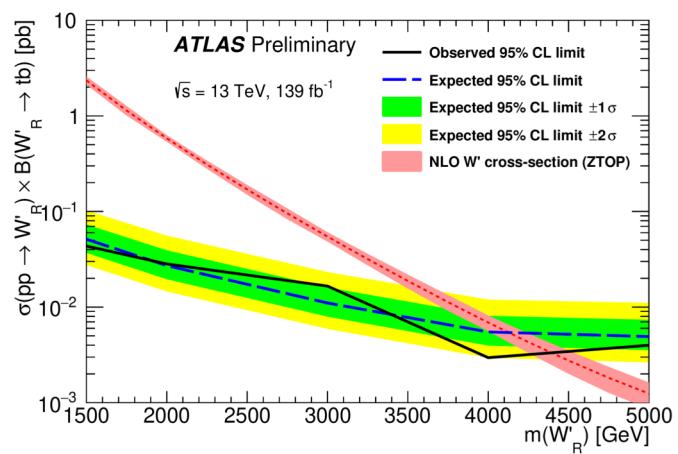
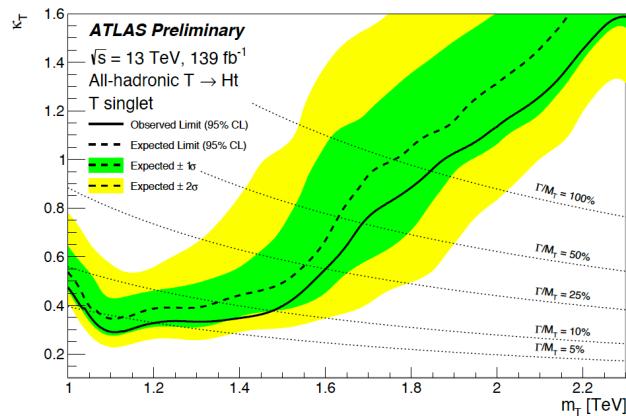
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Thank you!

And special thanks to:



DOE for supporting this research



The ATLAS Collaboration

- Complete list of ATLAS exotic results:
twiki.cern.ch/twiki/bin/view/AtlasPublic/ExoticsPublicResults



The BEACH 2022 Organizers!

List of presented analyses

- Search for pair-production of vector-like quarks in pp collision events at $\sqrt{s} = 13$ TeV with at least one leptonically-decaying Z boson and a third-generation quark with the ATLAS detector ([ATLAS-CONF-2021-024](#))
- Search for single production of vector-like T quarks decaying to Ht or Zt in pp collisions at $\sqrt{s} = 13$ TeV with the ATLAS detector ([ATLAS-CONF-2021-040](#))
- Search for single Vector-Like B -quark production and decay via $B \rightarrow bH(b\bar{b})$ in pp collisions at $\sqrt{s} = 13$ TeV with the ATLAS detector ([ATLAS-CONF-2021-018](#))
- Search for a vector-like quark produced in 13 TeV proton-proton collisions and decaying into a Higgs boson and top quark with a fully-hadronic final state at ATLAS ([Phys. Rev. D 105, 092012](#))

ATLAS Detector

The LHC is a “top factory” ($\sim 1 \text{ tt}/\text{second}$)

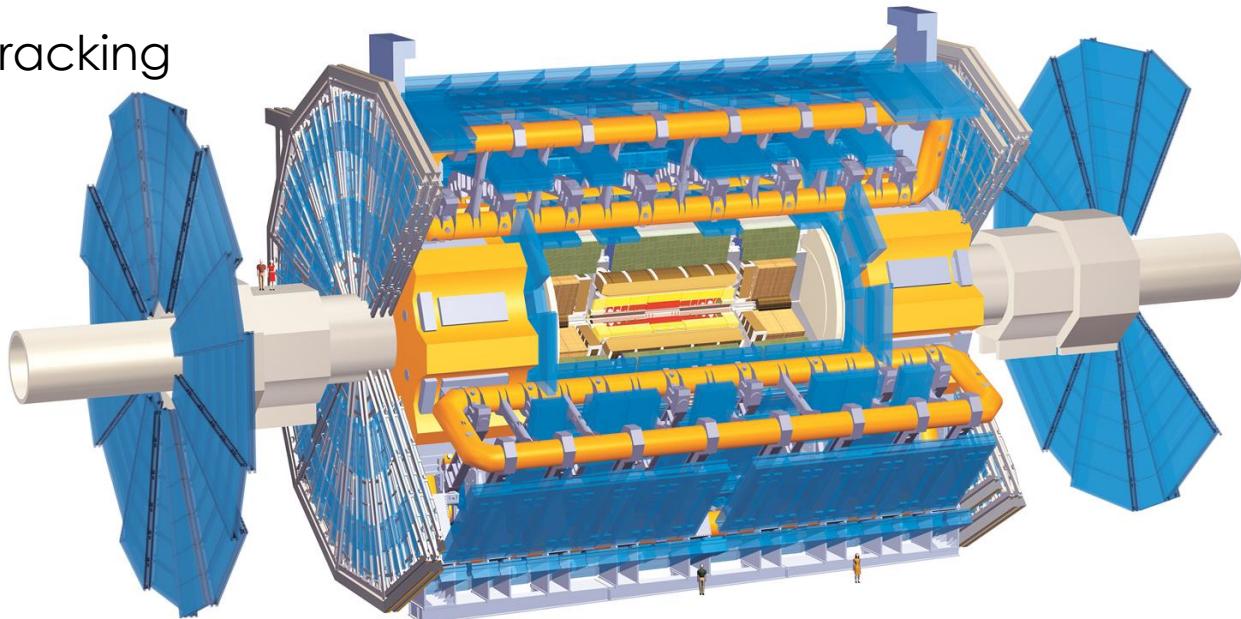
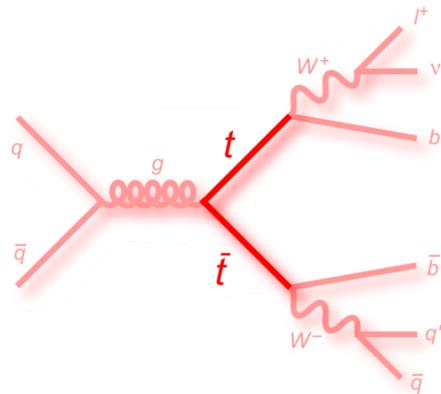
ATLAS is a “top detector”

Efficient e/ μ identification

Nearly 4π coverage $\Rightarrow E_T^{\text{miss}}$

High granularity tracking

$\Rightarrow b$ -tagging



All results using the ATLAS Run 2 data set ($L = 139 \text{ fb}^{-1}$, $\sqrt{s} = 13 \text{ TeV}$)