

Probing anomalous electromagnetic moments of tau lepton with ultraperipheral heavy-ion collisions at the LHC

Mateusz Dyndał*

CERN, Geneva, Switzerland

Mariola Kłusek-Gawenda[†] and Antoni Szczurek^{c§}

Institute of Nuclear Physics Polish Academy of Sciences, PL-31342 Krakow, Poland

Matthias Schott[¶]

Johannes Gutenberg University, Mainz, Germany

(based on [arXiv:2002.05503](https://arxiv.org/abs/2002.05503) [hep-ph])

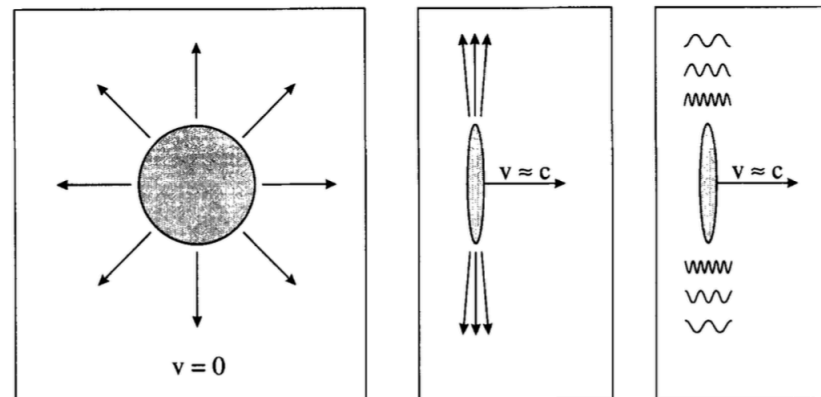
“Bialasowka” HEP Seminar, 5 Jun 2020

Outline

- Ultraperipheral collisions (UPC)
- Anomalous (electro-)magnetic moments of tau lepton
- Towards calculating $\text{Pb}+\text{Pb} \rightarrow \text{Pb}+\text{Pb}+\tau^+\tau^-$ reaction
- Tau decays and detector considerations
- Reaching ultimate precision: $\gamma\gamma \rightarrow l^+l^-$ cross-section ratios
- Sensitivity of existing and future LHC data on a_τ

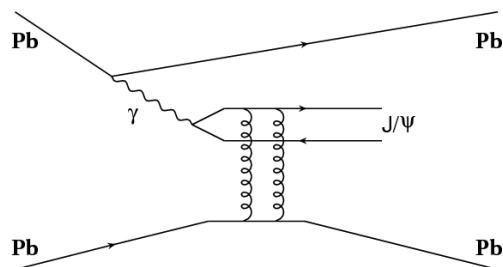
Ultrapерipheral collisions

- Boosted nuclei are intense source of (quasi-real) photons
- **Equivalent photon flux**
 - $Q \sim 1/R \sim 0.06 \text{ GeV}$
 - $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
→ Lorentz factor $\gamma \sim 2700$
 - $E_{\text{max}} \approx \gamma/R \sim 80 \text{ GeV}$
 - Each flux scales with Z^2



[Fermi, Nuovo Cim. 2 (1925) 143]

- Various types of interactions possible:



Photon-pomeron
(e.g. exclusive J/Psi)

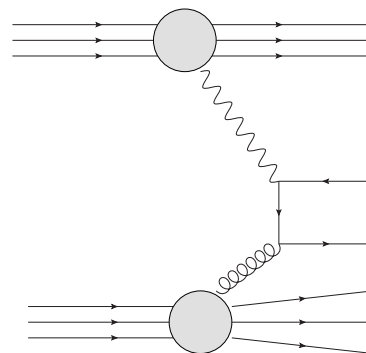
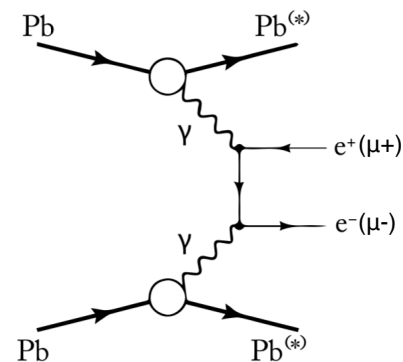


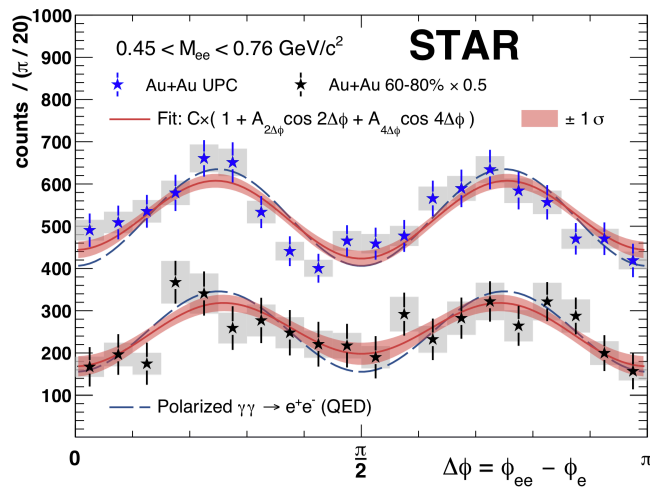
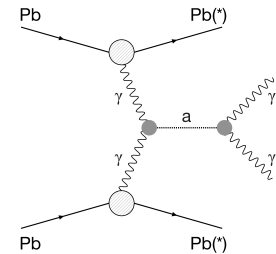
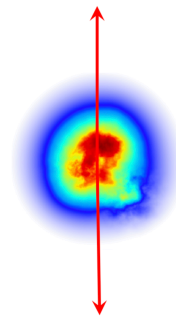
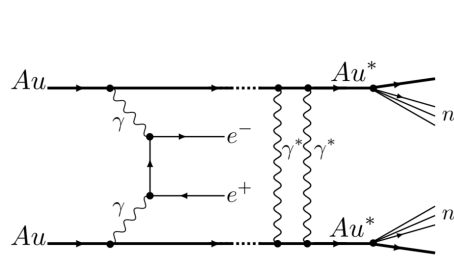
Photo-nuclear
(e.g. photoproduction of jets)



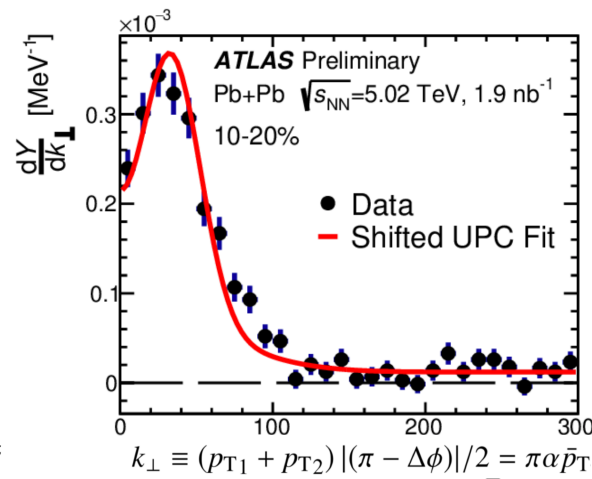
Photon-photon
(e.g. dilepton production)

Photon-photon collisions in HI

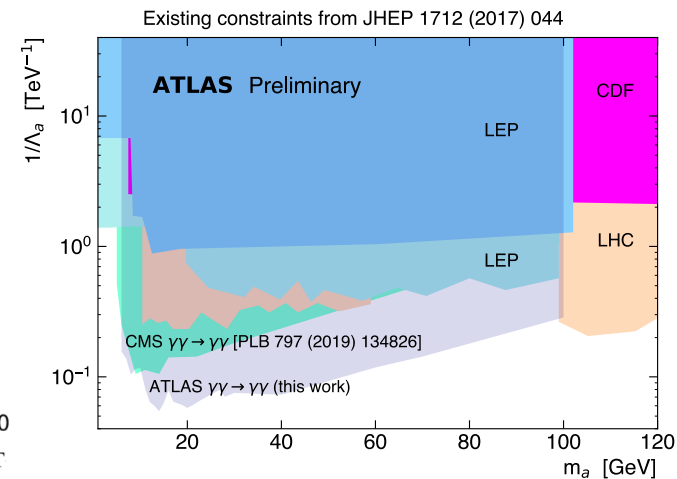
- Photon-photon production mechanism has recently become intense field of research
 - Probing strong-field QED, QGP(?) and BSM effects!



[1910.12400](#) [nucl-ex]



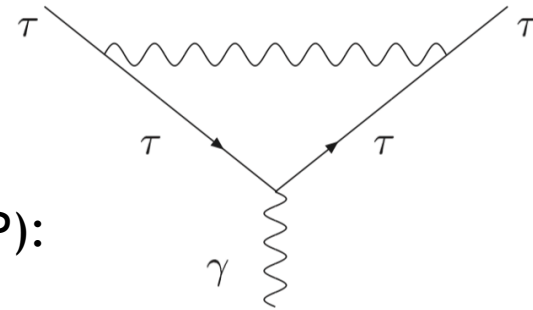
ATLAS-CONF-2019-051



ATLAS-CONF-2020-010

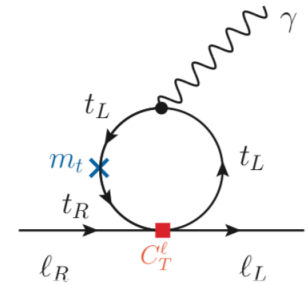
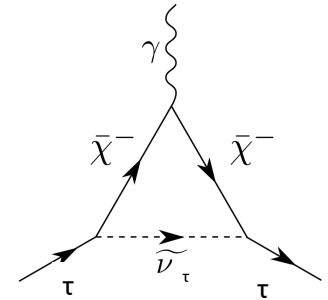
Anomalous (electro-)magnetic moments of tau lepton

- τ anomalous electromagnetic moments
 - Poorly constrained experimentally so far (short tau lifetime of $\sim 10^{-13}$ s)
 - Can be sensitive to BSM effects
- Anomalous magnetic moment [$a_\tau = (g_\tau - 2)/2$]
 - Theory value: $a_\tau^{\text{th}} = 0.00117721 \pm 0.00000005$ (dominated by Schwinger term)
 - Strongest experimental constraints from DELPHI (LEP):
 $-0.052 < a_\tau < 0.013$ (95% CL)
- Electric dipole moment [d_τ]
 - Highly suppressed in SM (arises at three-loop): $|d_\tau^{\text{th}}| < 10^{-34} \text{ e}\cdot\text{cm}$
 - Most stringent constraints on d_τ set by Belle:
 $\text{Re}(d_\tau) = (1.15 \pm 1.70) \times 10^{-17} \text{ e}\cdot\text{cm}$ and $\text{Im}(d_\tau) = (-0.83 \pm 0.86) \times 10^{-17} \text{ e}\cdot\text{cm}$



BSM effects

- Certain BSM effect can affect a_τ :
 - Supersymmetry predicts $\sim (m_\tau/m_\mu)^2 \sim 280\times$ BSM enhancement of a_τ wrt a_μ (note tension in a_μ ...)
(but a_μ measurement precision is extremely good...)
 - Models with TeV-scale leptoquarks [see 1806.10155]
 - ...
- CP-violating effects in the lepton sector can create anomalous τ EDM:
 - Extra dimensions
 - Seesaw model
 - 2HDM
 - Models with scalar leptoquarks
 - ...

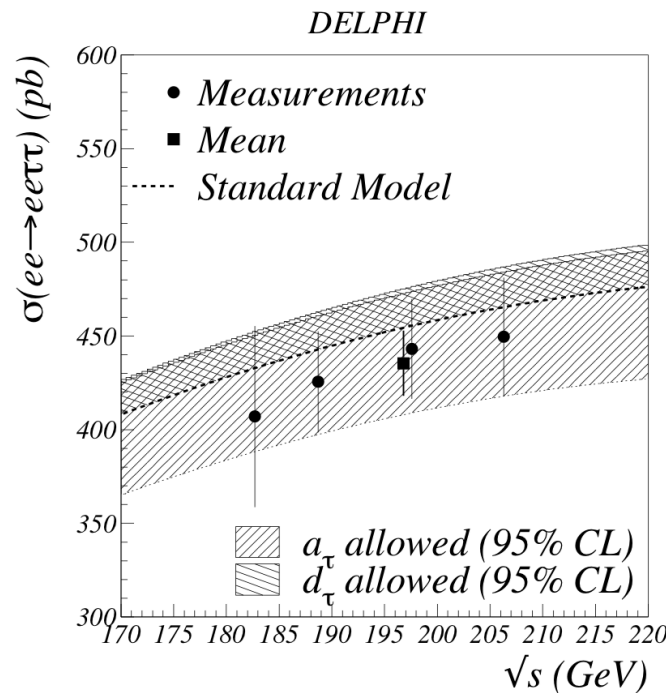
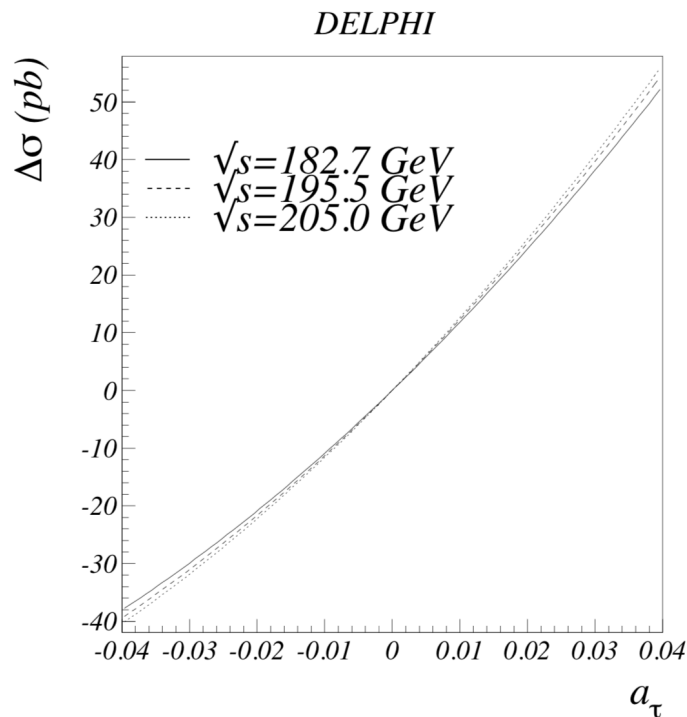
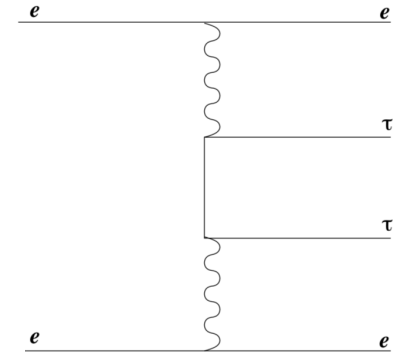


LEP (DELPHI) constraints on a_τ

- Strongest experimental constraints on a_τ are set by DELPHI (LEP2)
 - Using $ee \rightarrow ee \tau \tau$ reaction
 - Measuring total cross section and check its dependence on a_τ

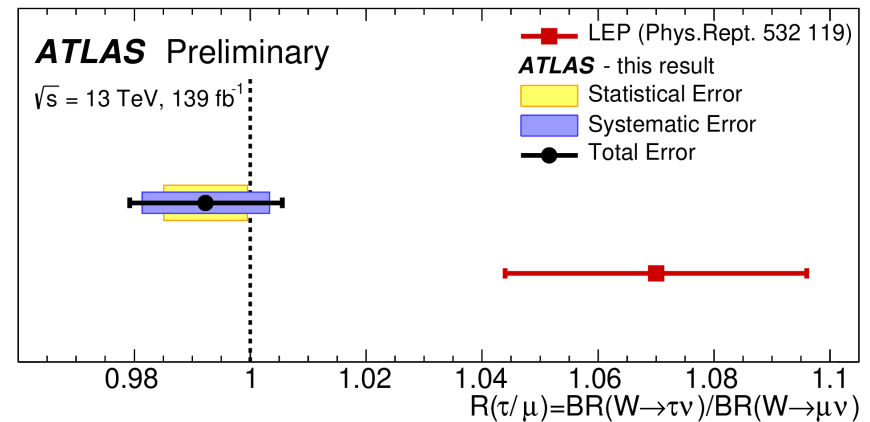
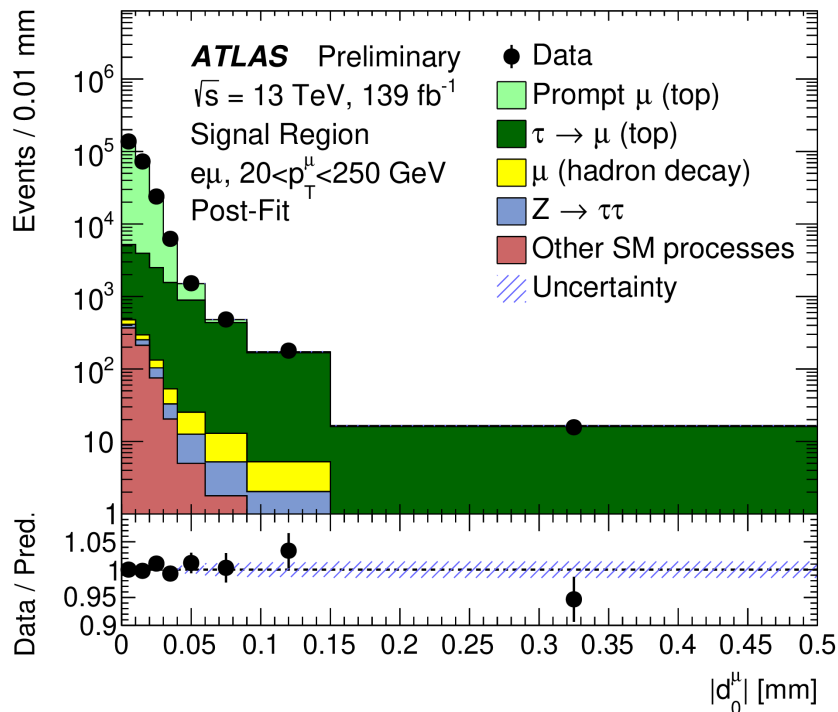
$$-0.052 < a_\tau < 0.013 \text{ (95\% CL)}$$

[arXiv:hep-ex/0406010]



Precision tau physics at the LHC: example

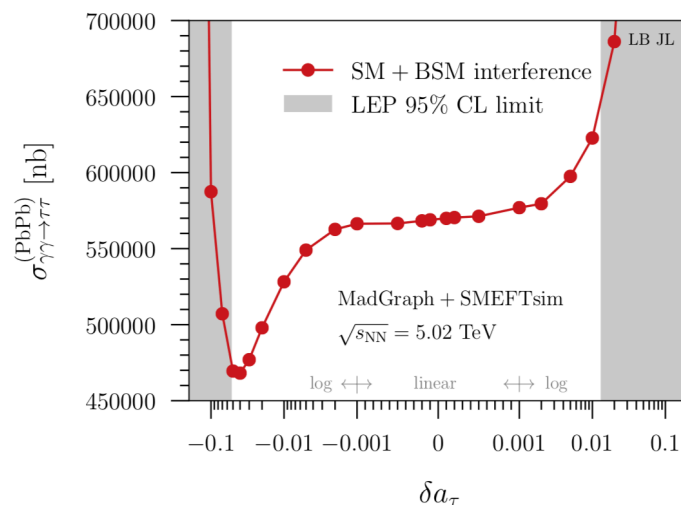
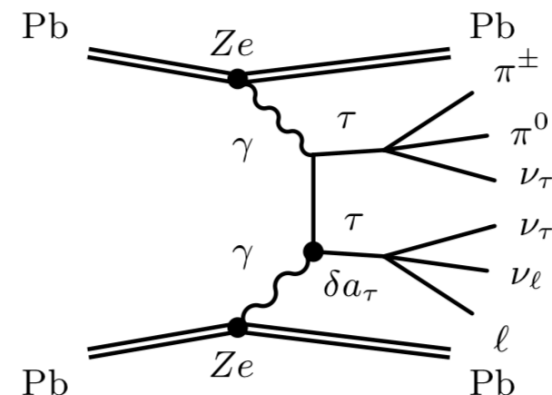
- 2.7σ LEP puzzle of $R=B(W\rightarrow\tau\nu)/B(W\rightarrow\mu\nu)=1.070\pm0.026$
- Recent ATLAS studies: using top-pair events as clean probe for W's to measure the ratio of prompt to delayed muons from tau decays
 - Result 0.992 ± 0.013 is twice more precise than LEP and in agreement with lepton universality



ATLAS-CONF-2020-014

Ideas behind this study

- Check the sensitivity of $\gamma\gamma \rightarrow \tau\tau$ process in LHC Pb+Pb collisions on a_τ (and d_τ)
- Consider (semi-)leptonic ditau decays (for clean possible measurement)
- Explore differential distributions for better sensitivity
- Explore the ratio to $\gamma\gamma \rightarrow ee$ ($\mu\mu$) process for cancellation of uncertainties (both theoretical and experimental)
- Providing alternative study to recent work that uses Effective Field Theory [Beresford, Liu [arXiv:1908.05180](https://arxiv.org/abs/1908.05180)] →



Calculations

- We use standard approach to fold the elementary cross section with initial photon fluxes:

$$\sigma(AA \rightarrow AA\ell^+\ell^-; \sqrt{s_{AA}}) = \int \sigma(\gamma\gamma \rightarrow \ell^+\ell^-; W_{\gamma\gamma}) N(\omega_1, \mathbf{b}_1) N(\omega_2, \mathbf{b}_2) S_{abs}^2(\mathbf{b}) \times \frac{W_{\gamma\gamma}}{2} dW_{\gamma\gamma} dY_{\ell\ell} d\bar{b}_x d\bar{b}_y d^2b. \quad (2.1)$$

- Elementary cross section has explicit dependence on photon- τ vertex function:

$$i\Gamma_{\mu}^{(\gamma\ell\ell)}(p', p) = -ie \left[\gamma_{\mu} F_1(q^2) + \frac{i}{2m_{\ell}} \sigma_{\mu\nu} \underline{q^{\nu}} \boxed{F_2(q^2)} + \frac{1}{2m_{\ell}} \gamma^5 \sigma_{\mu\nu} \underline{q^{\nu}} \boxed{F_3(q^2)} \right]$$

\swarrow $=a_{\tau} (q^2=0)$
 \swarrow $=d_{\tau} * 2m_{\tau}/e (q^2=0)$

Elementary cross section

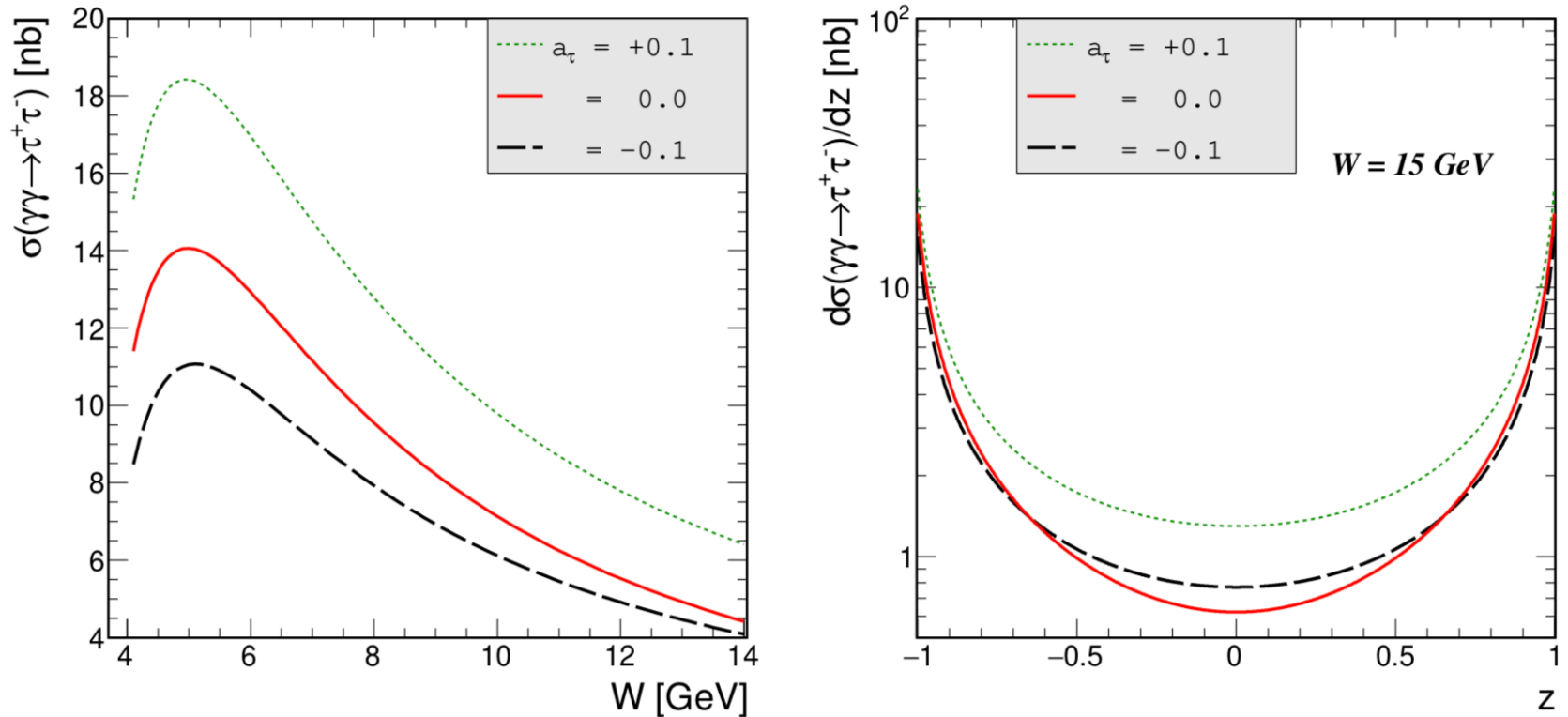
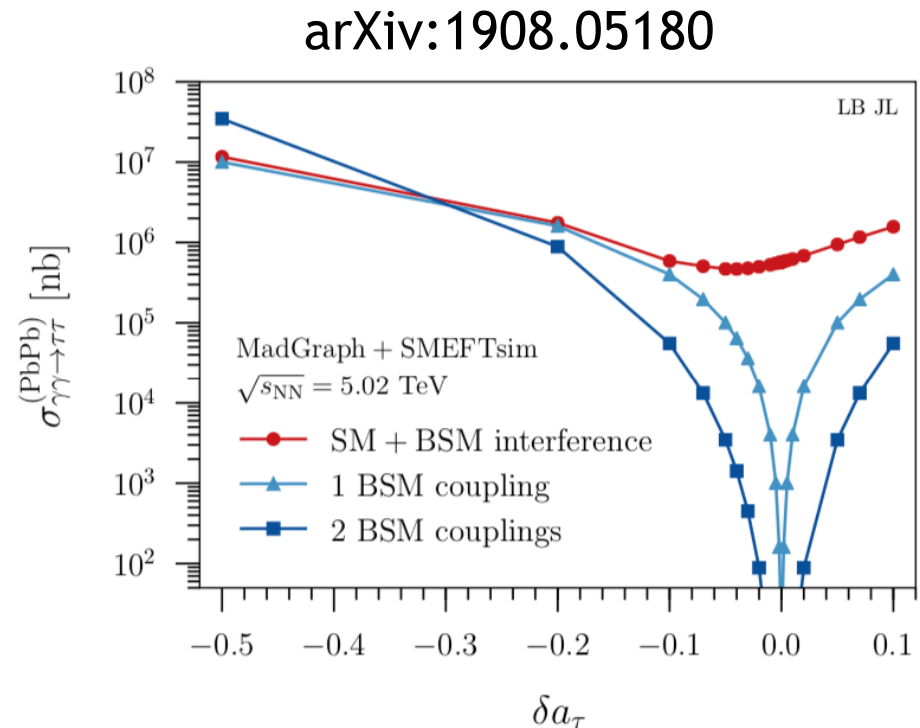
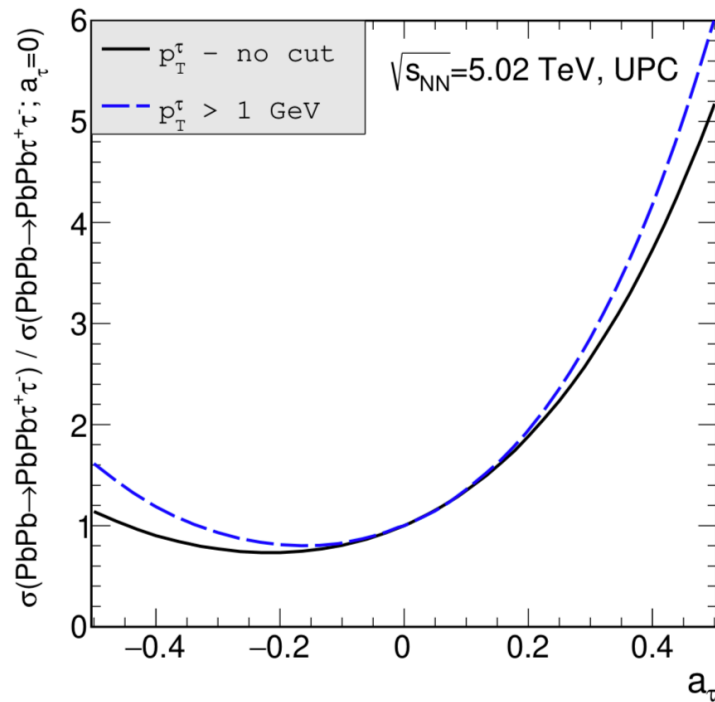


FIG. 1: Elementary cross section for $\gamma\gamma \rightarrow \tau^+\tau^-$ process as a function of $W_{\gamma\gamma} = m_{\tau\tau}$ (left) and as a function of $z = \cos\theta$ for $W_{\gamma\gamma} = 15$ GeV (right).

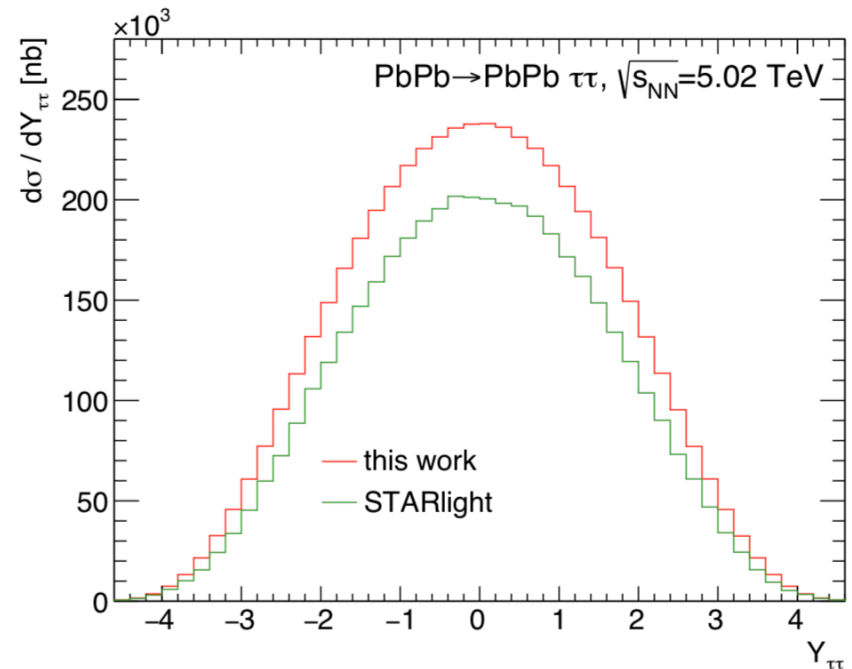
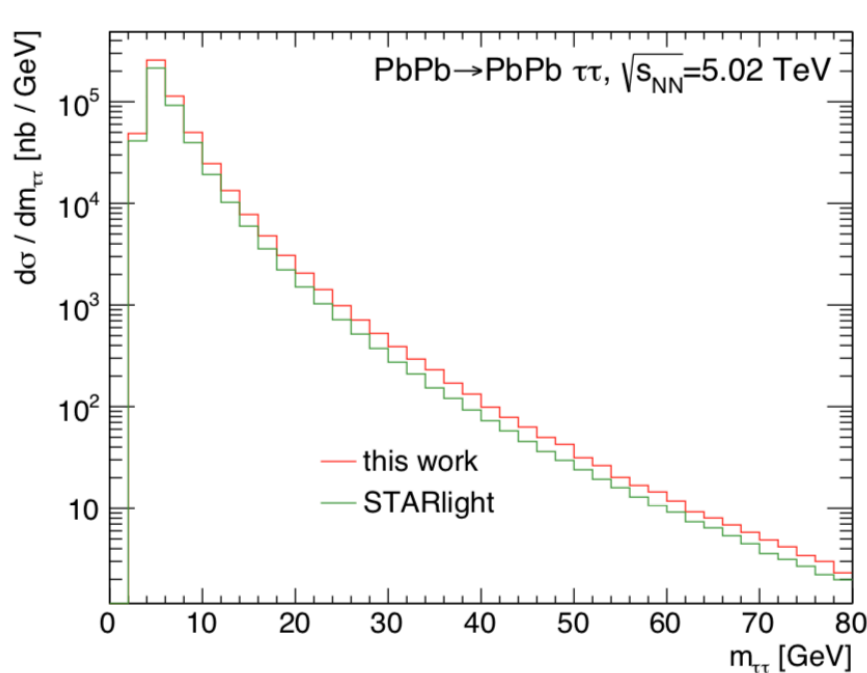
Nuclear cross sections

- Comparison of total nuclear cross section dependence on a_τ with Effective Field Theory (EFT) approach [arXiv:1908.05180]
 - Cross section minimum (at negative a_τ) happens at much higher values of a_τ in EFT
 - Significantly stronger cross section dependence on a_τ (at small a_τ values) is observed with EFT



Nuclear cross sections

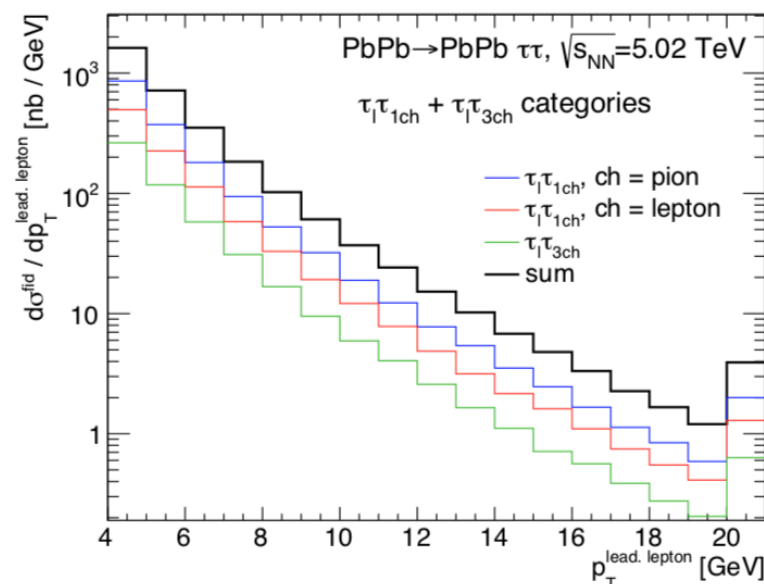
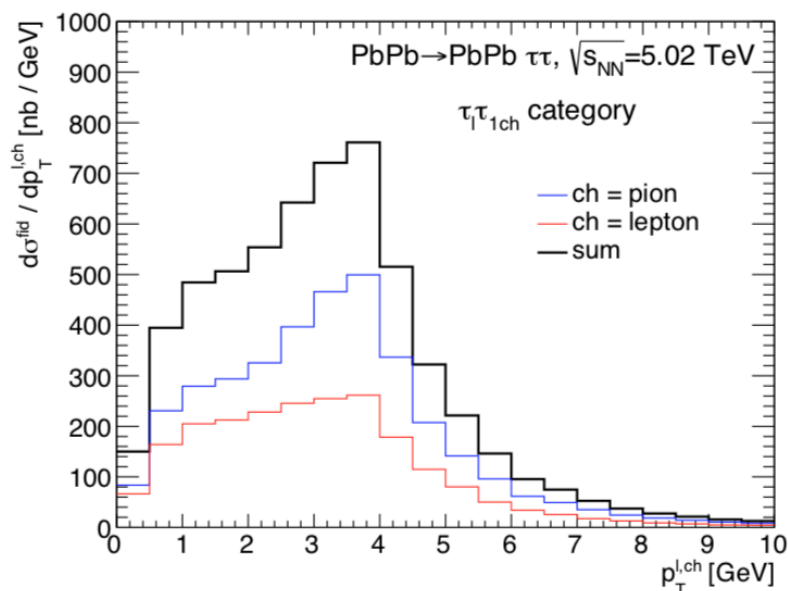
- We also compare SM results ($a_\tau=0$) with STARlight
 - Got 20% higher xs than SL due to extra
 $|b_1| > R_{Pb}$ and $|b_2| > R_{Pb}$
requirements applied in SL photon fluxes
 - Potentially large theory modeling uncertainties? → Build the ratios!



Tau decays

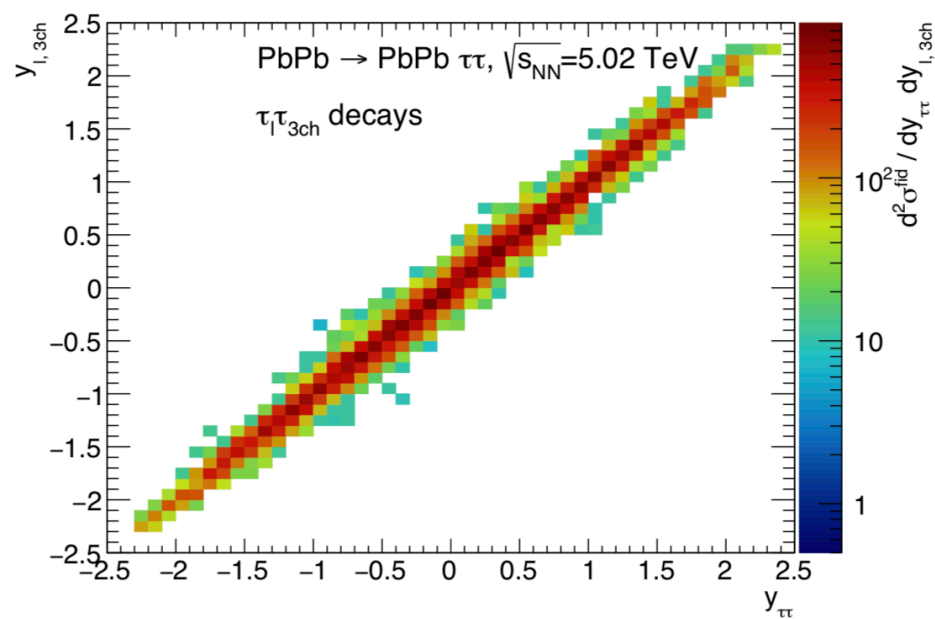
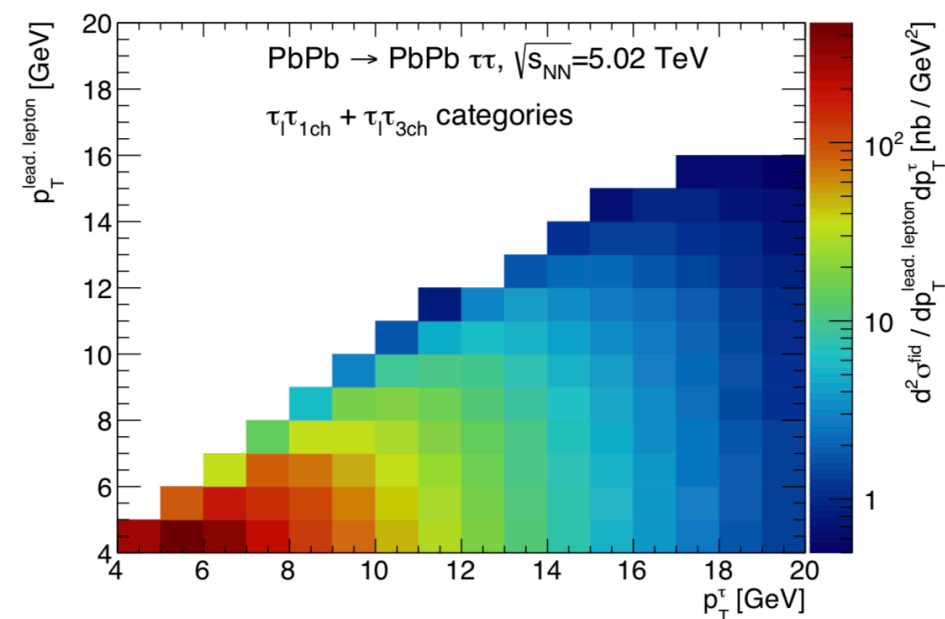
- Use Pythia8.243 for tau decays & FSR
 - No spin correlations since this feature is “buggy” in Pythia8 for $yy \rightarrow \tau \tau$ process
- Event selection:
 - Consider at least one leptonic tau decay ($p_T(l) > 4$ GeV, $|\eta(l)| < 2.5$)
 - No standard tau reconstruction algorithms are applicable at such low $p_T \rightarrow$ categorize events wrt charged-particle multiplicity ($p_T > 200$ MeV and $|\eta| < 2.5$) \rightarrow **lepton+1ch** or **lepton+3ch**
 - Apply extra cut $p_T(l, ch) > 1$ GeV in lepton+1ch to suppress $ee/\mu\mu$ background

selection
dedicated
for
ATLAS/CMS
detectors



Tau decays

- Interesting correlations between tau kinematics and outgoing charged particle kinematics within the fiducial volume
 - p_T of the outgoing lepton is very smeared wrt initial tau p_T
 - Angular variables (eg system rapidity) in reasonable correlation with initial τ - τ kinematics



A note about possible background

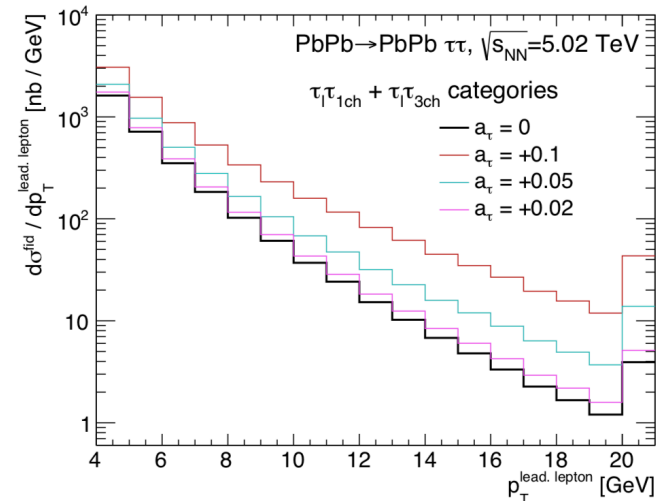
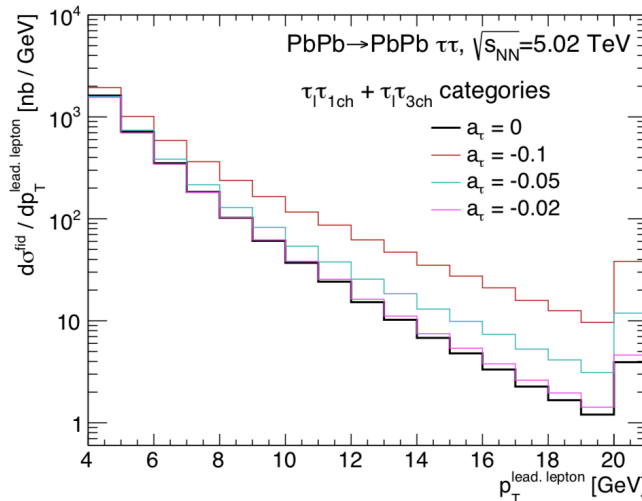
- $yy \rightarrow qq$ (esp. cc and bb)
 - Reducible with extra track veto, lepton isolation, ...)
- $yy \rightarrow ll + \text{FSR}$
 - Can be fully suppressed with $p_T(l, \text{ch}) > 1 \text{ GeV}$ cut
- Photonuclear
 - Inclusive photonuclear: reducible with no neutron in Zero Degree Calorimeter cuts (not considered in this work)
 - Exclusive photonuclear, e.g. $\Upsilon \rightarrow \text{HF} + X$: should be reducible with lepton isolation
+ calorimeter cluster counting

a_τ dependence on fiducial cross section

- Provided for representative values of a_τ
 - 3D cross section weights [$m_{\tau\tau}$, $y_{\tau\tau}$, $\cos(\theta^*)$] are available

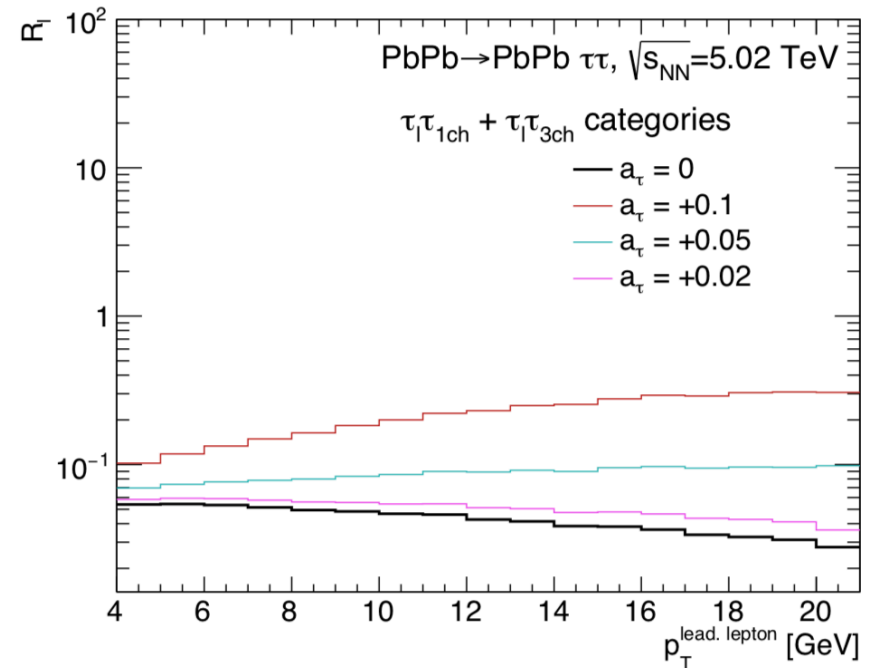
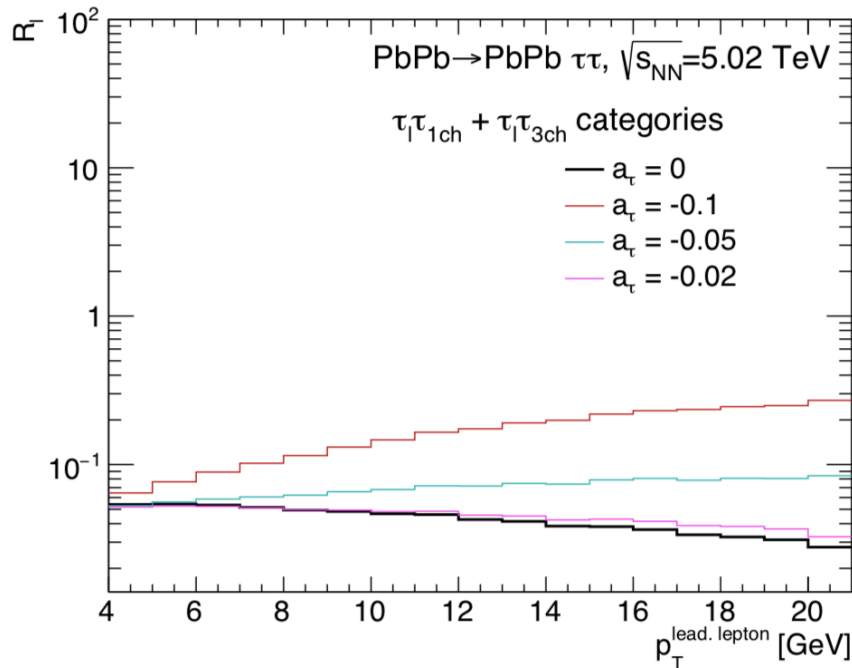
a_τ value	σ_{fid} [nb]	Expected events ($L_{int} = 2 \text{ nb}^{-1}$, $C = 0.8$)	Expected events ($L_{int} = 20 \text{ nb}^{-1}$, $C = 0.8$)
-0.1	4770	7650	76 500
-0.05	3330	5350	53 500
-0.02	3060	4900	49 000
0 (SM)	3145	5050	50 500
+0.02	3445	5500	55 000
+0.05	4350	6950	69 500
+0.1	7225	11550	115 500

- Non-zero a_τ can also change **shape** of kinematic distributions
 - Checked many distributions, it seems $p_T(\text{lead. lep})$ has the strongest dependence



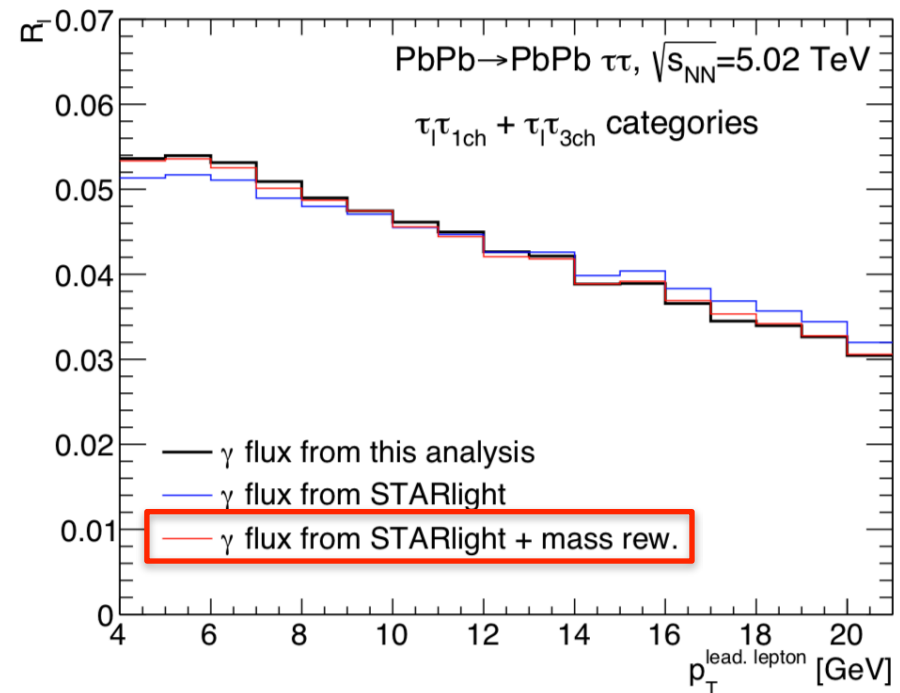
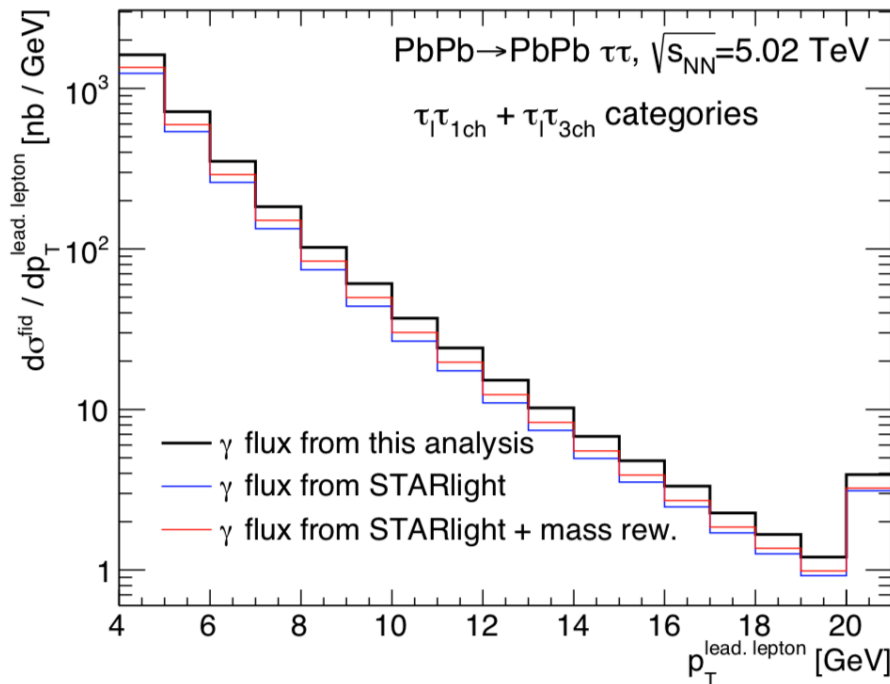
Ratio to $yy \rightarrow ee$ ($yy \rightarrow \mu\mu$) process

- $yy \rightarrow ee/\mu\mu$ events selected in similar fiducial region
 - $p_T(l) > 4 \text{ GeV}$, $|\eta(l)| < 2.5$
- Ratio (SM) is below 5% and decreases with $p_T(\text{lead. lep})$



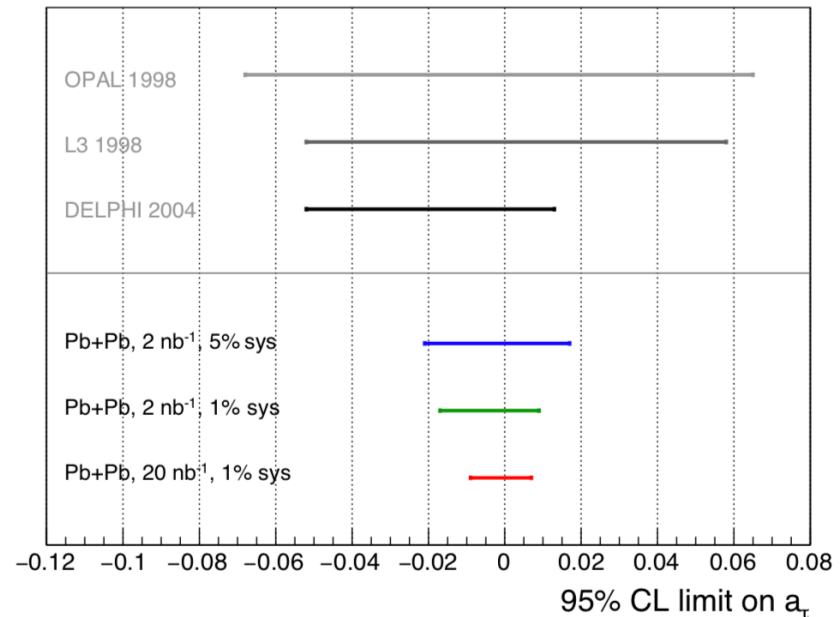
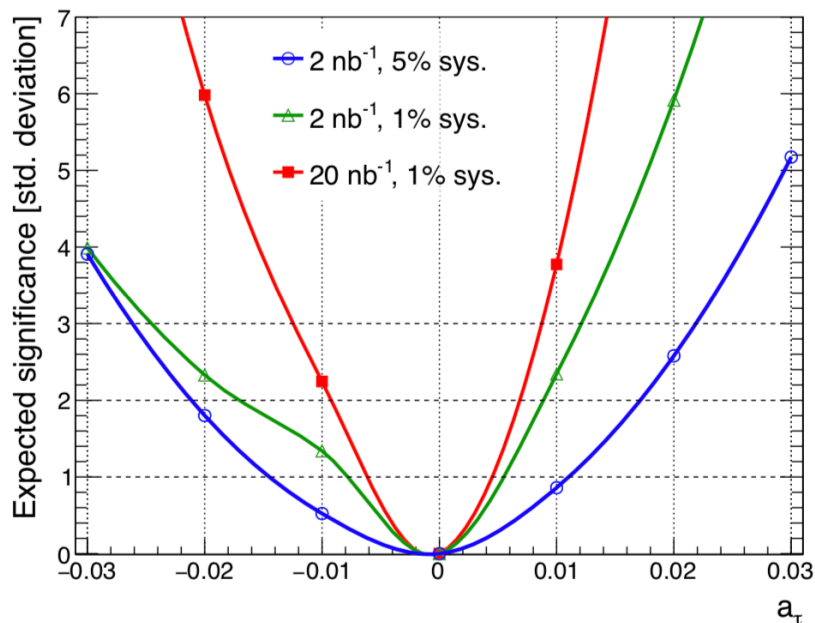
Ratio to $\gamma\gamma \rightarrow ee$ ($\gamma\gamma \rightarrow \mu\mu$) process

- 20% (STARlight vs this work) cross-section difference can be suppressed to $\sim 5\%$ when taking the ratio
- This can be further improved by reweighting m_{ll} shape in the fiducial region
 - Then the R_l values agree within 1%



a_τ expected sensitivity @ LHC

- Using RooFit for statistical analysis
 - Assuming 80% reconstruction efficiency in the fiducial region
 - Assuming 5% or 1% systematic, and 2 nb⁻¹ (current ATLAS/CMS dataset) or 20 nb⁻¹ (dataset expected at High Luminosity LHC)
- Expected limits **~x2 better** than World's best results (with existing Run 2 data), **~x4 better @HL-LHC**
 - But: the limits are ~x2 worse than those from arXiv:1908.05180 (EFT approach)



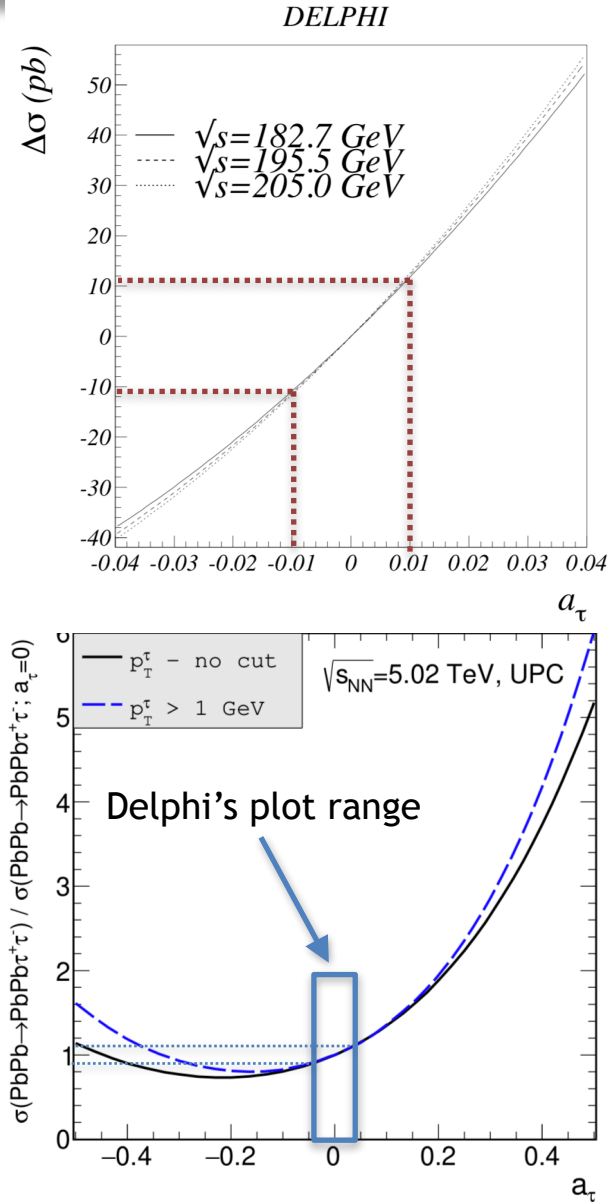
Summary

- Calculations for $\text{Pb}+\text{Pb}\rightarrow\text{Pb}+\text{Pb}+\tau$ τ cross section dependence on a_τ (and d_τ) at LHC energies are provided
- Exploration of the kinematic shape variations and the ratio to ee ($\mu\mu$) process, as function of $p_{\text{T}}(\text{lead. lep})$
 - Allows to reach ultimate experimental precision (cancellation of uncertainties etc.)
- Expected limits on a_τ **$\sim x2$ better** with existing Run 2 ATLAS/CMS data (wrt current best experimental limits), **$\sim x4$ better** @HL-LHC
 - Expected limits on d_τ competitive with current best experimental limits
→ should be improved at Belle-II
- Significant difference observed wrt Effective Field Theory (EFT) calculations
 - Much stronger cross section dependence on a_τ is observed with EFT
 - This can point to **some issue with EFT approach** and clearly **needs further study by EFT experts**

Backup

Compatibility with a_τ dependence used by DELPHI

- Relative total cross section variations (ee) from DELPHI (examples):
 - $d\sigma/\sigma = \pm 10\text{-}12\%$
for $a_\tau = \pm 0.04$
 - $d\sigma/\sigma = \pm 3\%$
for $a_\tau = \pm 0.01$
- Relative total cross section variations (Pb+Pb) from this study:
 - $d\sigma/\sigma = \pm 10\%$
for $a_\tau = \pm 0.04$
 - $d\sigma/\sigma = \pm 3\%$
for $a_\tau = \pm 0.01$
- Good agreement with DELPHI's calculations!



EFT approach

$$\begin{aligned}\tilde{a}_\tau &= \frac{2m_\tau}{e} \frac{\sqrt{2}v}{\Lambda^2} \operatorname{Re} [\cos \theta_w C_{lB}^{33} - \sin \theta_w C_{lW}^{33}] , \\ \tilde{d}_\tau &= \frac{\sqrt{2}v}{\Lambda^2} \operatorname{Im} [\cos \theta_w C_{lB}^{33} - \sin \theta_w C_{lW}^{33}] ,\end{aligned}$$

$$v = 246 \text{ GeV}$$

$\sin \theta_w$ is the weak mixing angle.